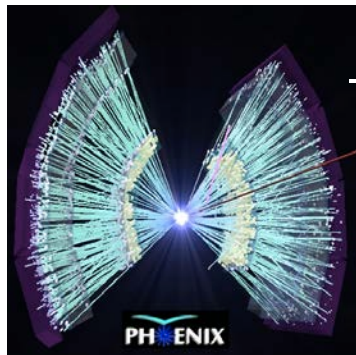


# Is $q$ -hat a physical quantity or just a parameter ? and other unanswered questions in high $p_T$ physics

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10<sup>th</sup> International Workshop on High- $p_T$   
Physics at LHC  
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Subatech, Nantes, France



# First QCD-based model BDMPSZ c. 1997

I don't want to discuss models in detail, since they are nothing like QED or QCD, theories that you can set your watch by (at least QED). I just mention this one example which stimulated the use of hard-probes at RHIC. See Baier, Schiff, Zakharov, Ann. Rev. Nucl. Part. Sci. **50**, 37 (2000).

It is interesting to note that the original STAR Letter of Intent (LBL-29651) in 1990 following Wang and Gyulassy (LBL-29390) did cite as one objective: "the use of hard scattering of partons as a probe of high density nuclear matter... Passage through hadronic or nuclear matter is predicted to result in an attenuation of the jet energy and broadening of jets. Relative to this damped case, a QGP is transparent and an enhanced yield is expected."

Of course this is precisely the opposite of what was actually discovered at RHIC. Furthermore, what had been observed in A+A and p+A collisions was an enhancement of the hard scattering, a.k.a. the Cronin Effect [Phys. Rev. D**11** (1975) 3105], rather than an attenuation. Thus, until the QCD based models, starting with Baier, Dokshitzer, Mueller, Peigné, Schiff [Nucl. Phys. B**483** (1997) 291], which I found out about only in 1998 at the IV Workshop on QCD when Rolf Baier asked me whether we could measure jets in A+A collisions at RHIC, I described the original WangGyulassy Jet Quenching as "the vanishing of something that doesn't exist in the first place".

# Jets vs single high $p_T$ particles--RHIC

- In 1998 at the QCD workshop in Paris, Rolf Baier asked me whether jets could be measured in Au+Au collisions because he had a prediction of a QCD medium-effect on colored partons in a hot-dense-medium with lots of unscreened color charge.
- As the expected energy in a typical jet cone  $R = \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2}$  is  $\pi R^2 \times 1/2\pi \times dE_T/d\eta = R^2/2 \times dE_T/d\eta \sim 350 \text{ GeV}$  for  $R=1$  at  $\sqrt{s_{NN}}=200 \text{ GeV}$  where the maximum Jet energy is 100 GeV, I said that Jets can not be reconstructed in Au+Au central collisions at RHIC—still correct after 16 years.
- Hard scattering was discovered in p-p at the CERN-ISR 1972 with single particle and few particle correlations, while jets had a long learning curve from 1977-1982, with false claims! So use single and few particles---which we did and it **WORKED!**
- The solution (LHC 2010 and) RHIC c.2014 is to take smaller cones: 60 GeV in  $R=0.4$ , 34 GeV in  $R=0.3$ , 15 GeV in  $R=0.2$ .



# q-hat ( $\hat{q}$ )

The many different theoretical studies of energy loss of a quark or gluon with their color charges fully exposed passing through a medium with a large density of similarly exposed color charges (i.e. a QGP), have one thing in common: the transport coefficient of a gluon in the medium, denoted  $\hat{q}$ , which is defined from the mean 4-momentum transfer<sup>2</sup>/collision but is expressed as the mean 4-momentum transfer<sup>2</sup> per mean free path of a gluon in the medium. Thus the mean 4-momentum transfer<sup>2</sup> for a gluon traversing length  $L$  in the medium is,  $\langle q^2(L) \rangle = \hat{q} L = \mu^2 L / \lambda_{\text{mfp}}$ , where  $\lambda_{\text{mfp}}$  is the mean free path for a gluon interaction in the medium, and  $\mu$ , the mean momentum transfer per collision, is the Debye screening mass acquired by gluons in the medium. In this, the original BDMPSZ formalism, the energy loss of an outgoing parton due to coherent gluon bremsstrahlung per unit length ( $x$ ) of the medium,  $-dE/dx$ , takes the form:

$$\frac{-dE}{dx} \simeq \alpha_s \langle q^2(L) \rangle = \alpha_s \hat{q} L = \alpha_s \mu^2 L / \lambda_{\text{mfp}} \quad ,$$

so that the total energy loss in the medium goes like  $L^2$ . Also the accumulated transverse momentum<sup>2</sup>,  $\langle k_{\perp}^2 \rangle$ , for a gluon traversing a length  $L$  in the medium is well approximated by  $\langle k_{\perp}^2 \rangle \approx \langle q^2(L) \rangle = \hat{q} L$ .



# Is $q$ -hat visible in di-jet broadening?

Also, Rolf Baier thinks that it is possible for a parton to emerge from the center of the medium without a large energy loss (i.e. no LPM) , only BH , which Salgado and Wiedemann seem to have ignored and which is the result of multiple scattering with total  $Q^2 = \mu^2 L/\lambda = \hat{q}L$ , where  $L$  is the length of the medium traversed. However, this accentuates something that is puzzling to me. Why has nobody ever seen evidence for this?

A simple estimate shows that the  $\langle k_{\perp}^2 \rangle \approx \hat{q} L$  should be observable at RHIC via the broadening of di-hadron azimuthal correlations. For a trigger particle with  $p_{T_t}$ , assume that the away-parton traverses slightly more than half the diameter of the QGP for central collisions of Au+Au, say 8 fm. This corresponds to  $\langle k_{\perp}^2 \rangle = \hat{q} L = 8 \text{ GeV}^2$ , for  $\hat{q} = 1 \text{ GeV}^2/\text{fm}$ , compared to the measured  $\langle k_{T}^2 \rangle = 8.0 \pm 0.2 (\text{GeV}/c)^2$  for di-hadrons in  $p-p$  collisions at  $\sqrt{s_{NN}} = 200 \text{ GeV}$ , which should be visible as an azimuthal width  $\sim \sqrt{2}$  larger in Au+Au than in  $p-p$  collisions . So far the systematic uncertainties due to the flow background,  $v_2, v_3 \dots v_n$ , for di-hadron measurements, or the very large  $p_T \simeq 100 \text{ GeV}$  where di-jets are measured have obscured this signal.

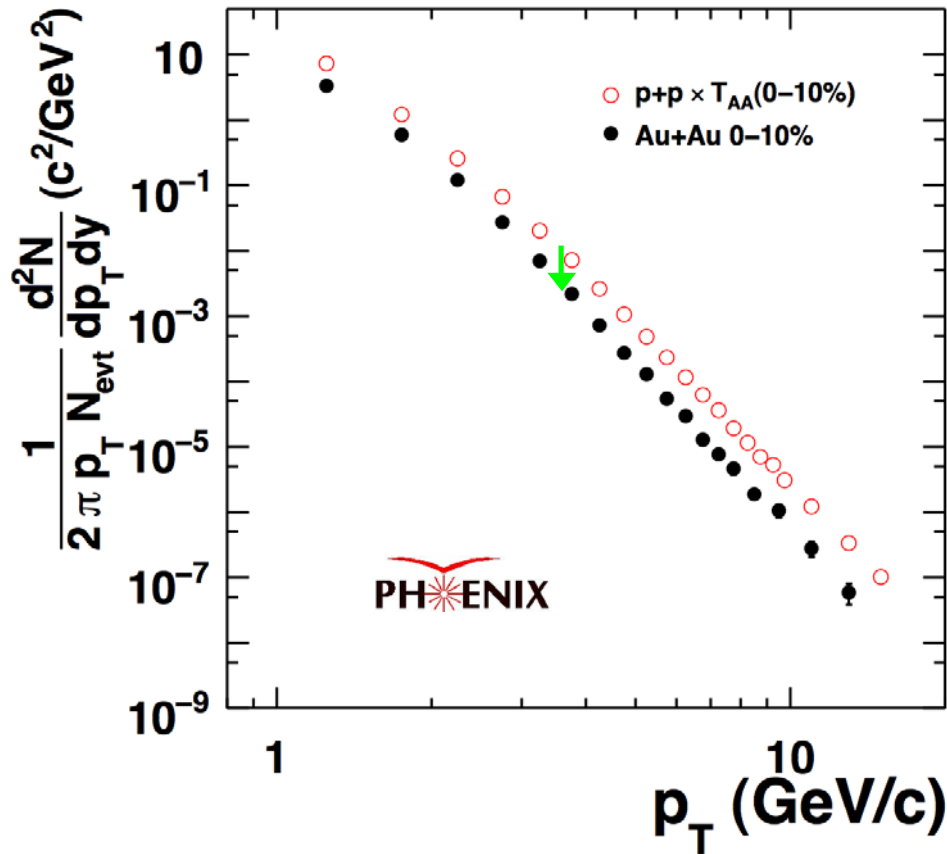
## A long story!

The BDMPST prediction  
led to the most important  
innovation at RHIC: the  
use of hard-scattering as  
an in-situ probe of the  
medium in RHIC collisions



# RHIC $\pi^0$ pp vs AuAu

$\pi^0$  are suppressed in Au+Au eg 200 GeV

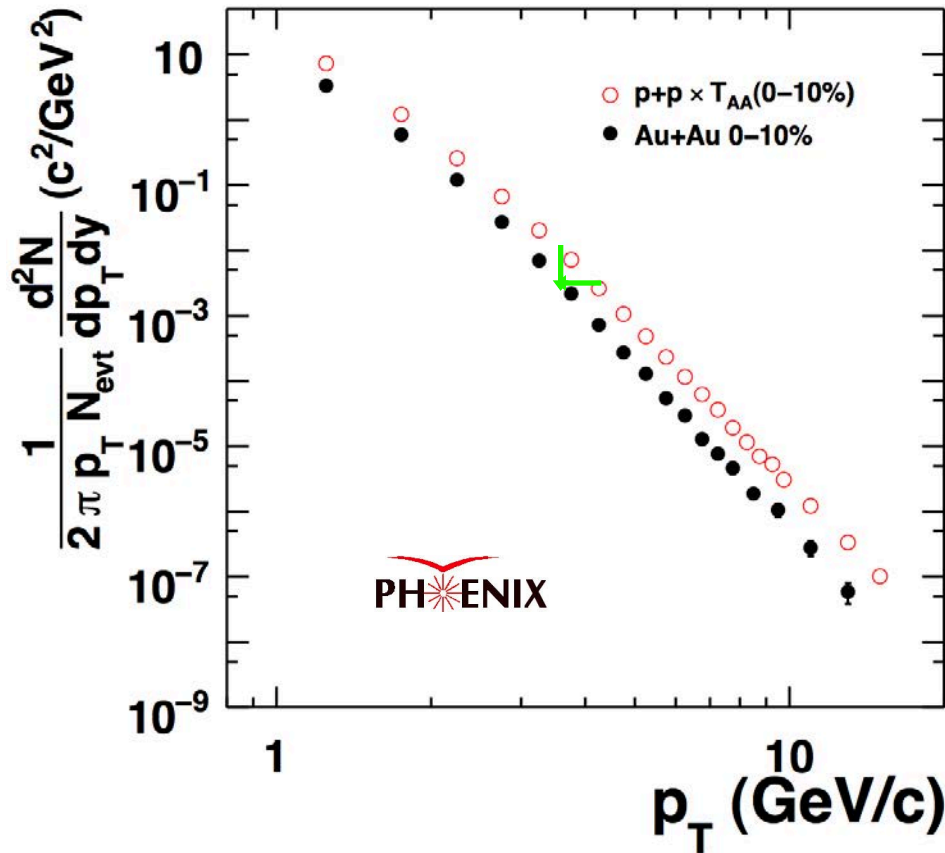


Nuclear Modification Factor

$$R_{AA}(p_T) = \frac{d^2 N_{AA}^{\pi} / dp_T dy N_{AA}^{inel}}{\langle T_{AA} \rangle d^2 \sigma_{pp}^{\pi} / dp_T dy}$$

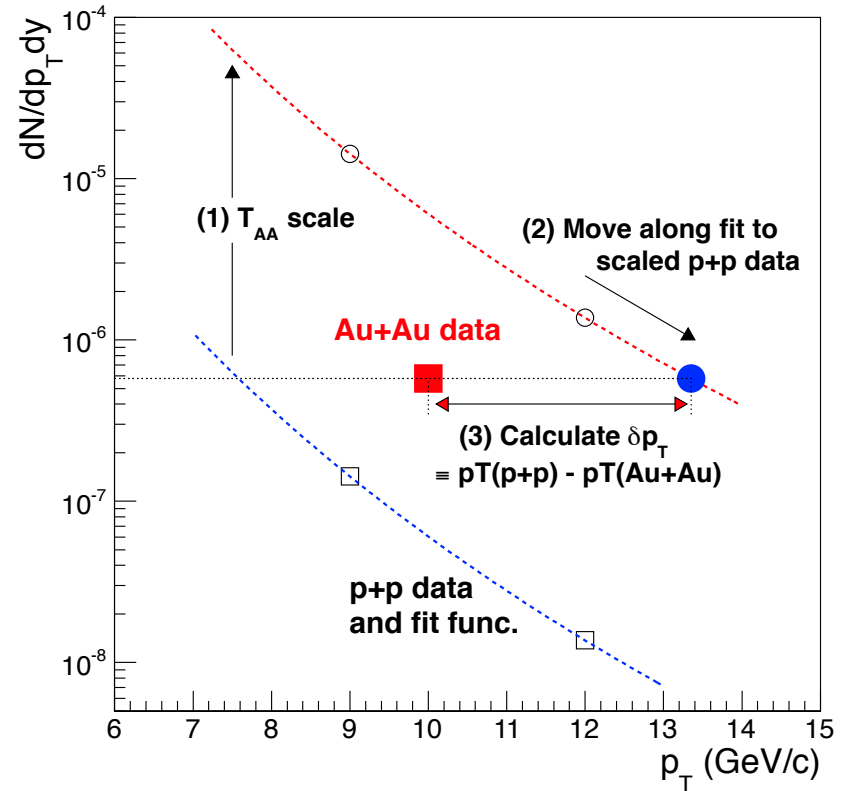
# RHIC $\pi^0$ pp vs AuAu

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Nuclear Modification Factor

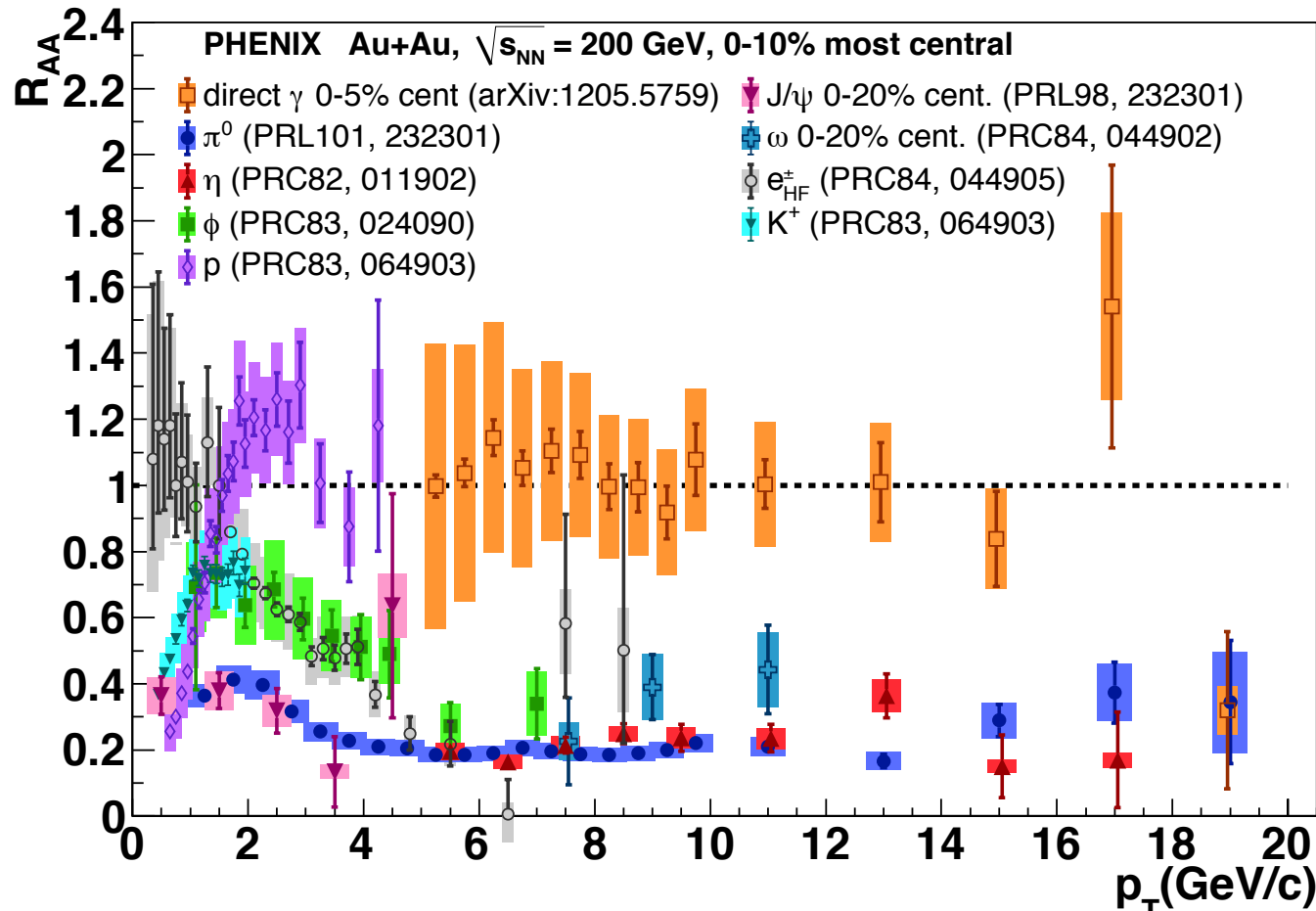
$$R_{AA}(p_T) = \frac{d^2N_{AA}^{\pi} / dp_T dy N_{AA}^{inel}}{\langle T_{AA} \rangle d^2\sigma_{pp}^{\pi} / dp_T dy}$$



After a decade of the ratio  $R_{AA}$  we are now paying more attention to  $\delta p_T$  the shift in the  $p_T$  spectrum as an indicator of energy loss in the QGP



# Status of $R_{AA}$ in AuAu at $\sqrt{s_{NN}}=200$ GeV 2013

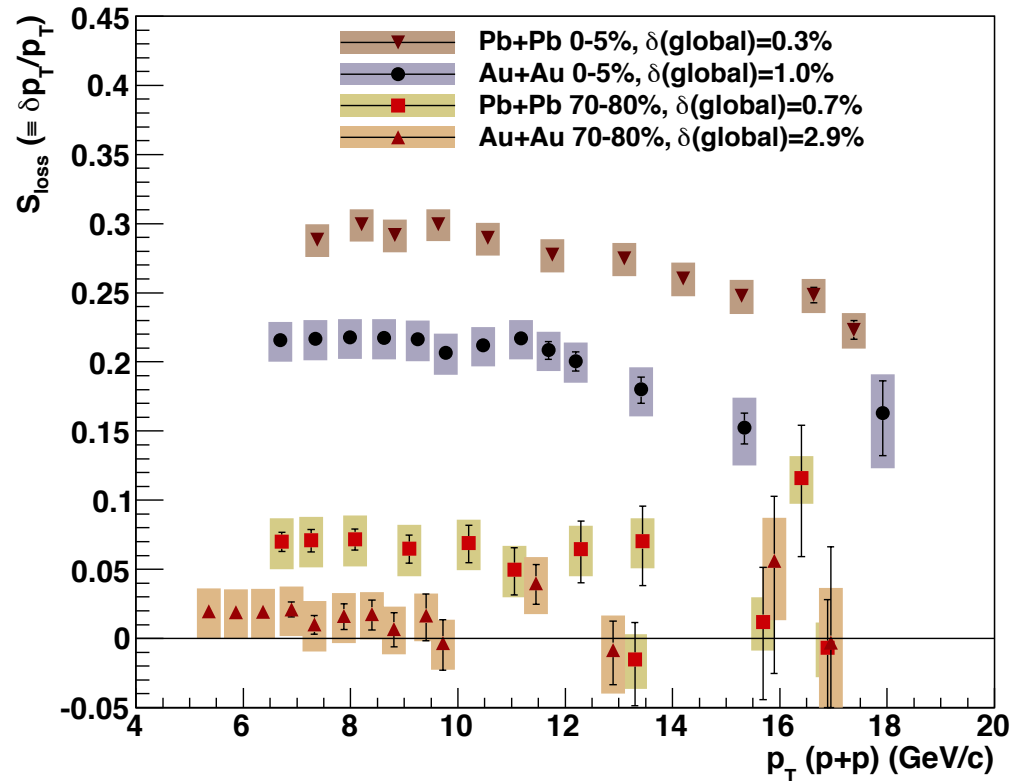
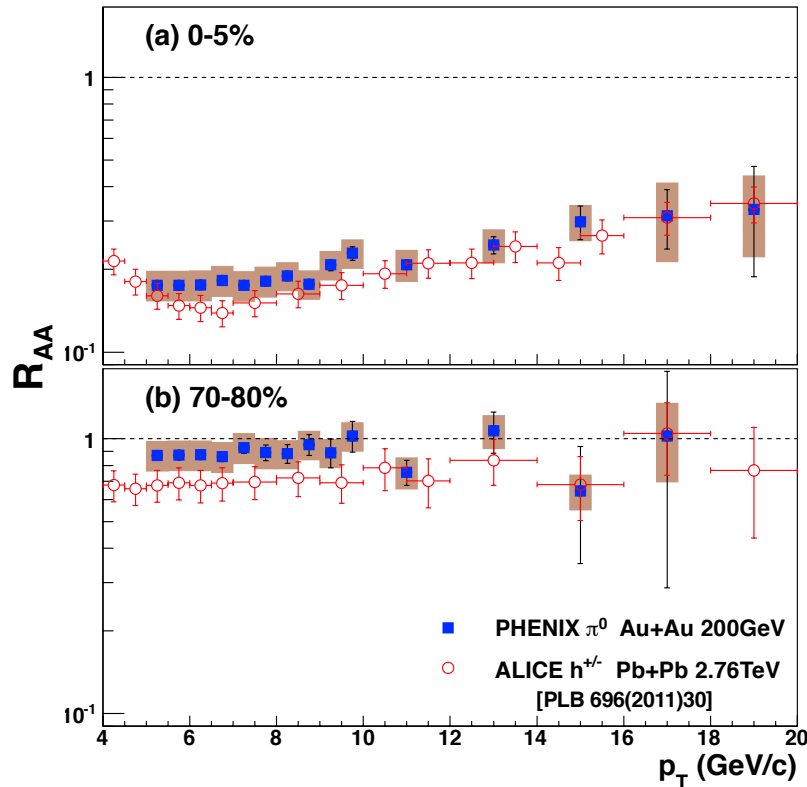


particle ID  
is crucial:  
different  
particles  
behave  
differently

Notable are that ALL particles are suppressed for  $p_T > 2$  GeV/c (except for direct- $\gamma$ ), even electrons from c and b quark decay; with one notable exception: the protons are enhanced-(baryon anomaly)

# RHIC $\sqrt{s_{NN}}=200$ GeV cf. LHC $\sqrt{s_{NN}}=2.76$ TeV

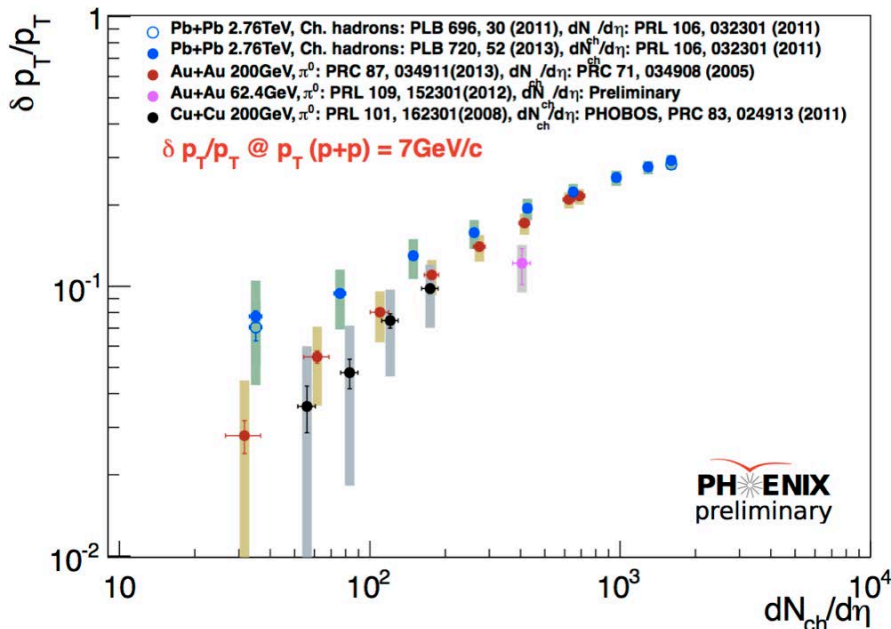
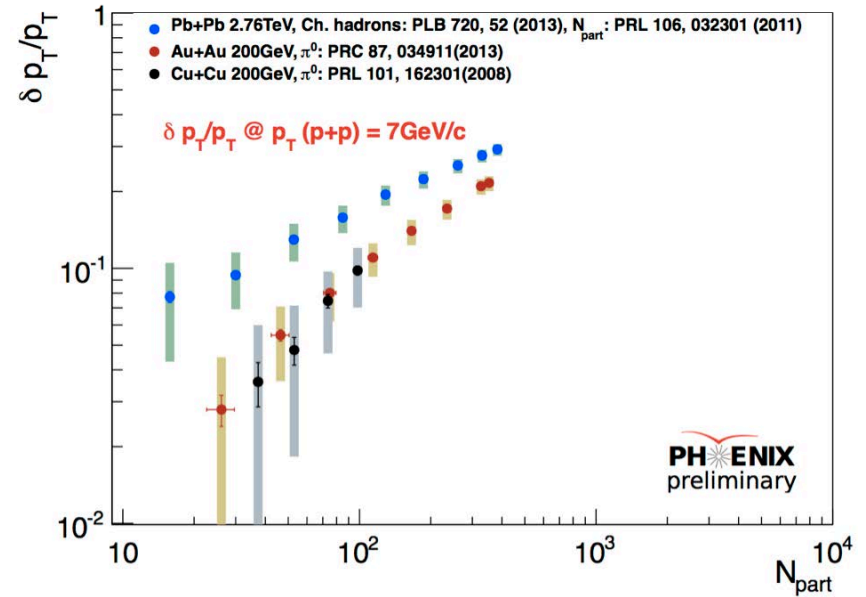
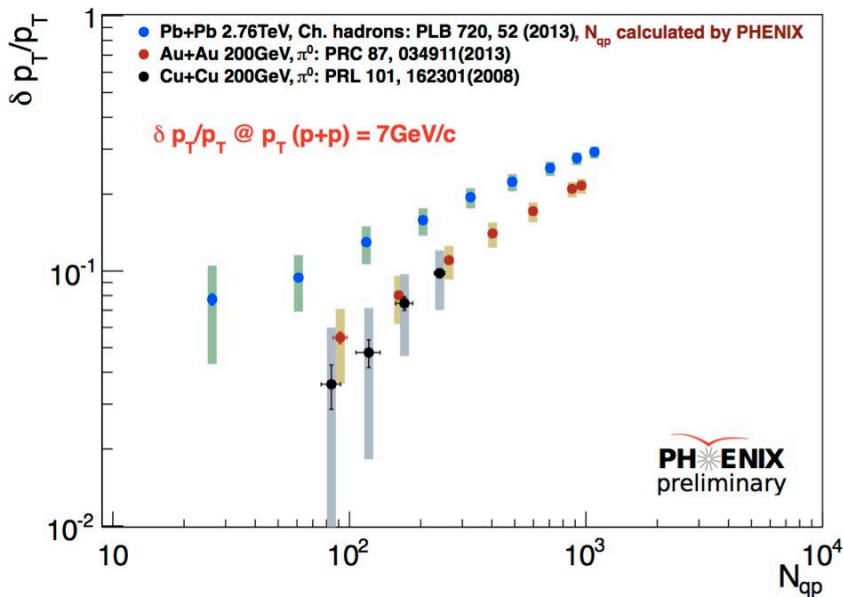
PHENIX PRC 87 (2013) 034911



Agreement of ALICE  $h^\pm R_{AA}$  with PHENIX  $\pi^0$  in the overlap region  $5 < p_T < 20$  GeV/c is incredible; BUT because invariant  $p_T$  spectrum at LHC is flatter than at RHIC, spectrum shift  $\delta p_T / p_T$  is  $\sim 40\%$  larger at LHC than at RHIC presumably due to the hotter and possibly denser medium.

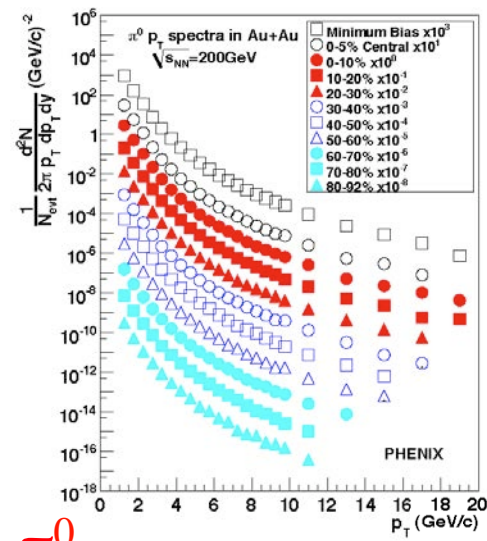


# NEW-What determines energy loss $\delta p_T/p_T$ ?



As suggested by Shuryak at this meeting last year  $\delta p_T/p_T$  scales best with  $dN_{ch}/d\eta$  but is not quite universal  $\delta p_T/p_T \approx (dN_{ch}/d\eta)^\alpha$ ,  $\alpha \approx 0.35 @ 2.76 \text{ TeV}$ ,  $\alpha \approx 0.55 @ 200 \text{ GeV}$  but curves merge at large  $dN_{ch}/d\eta$

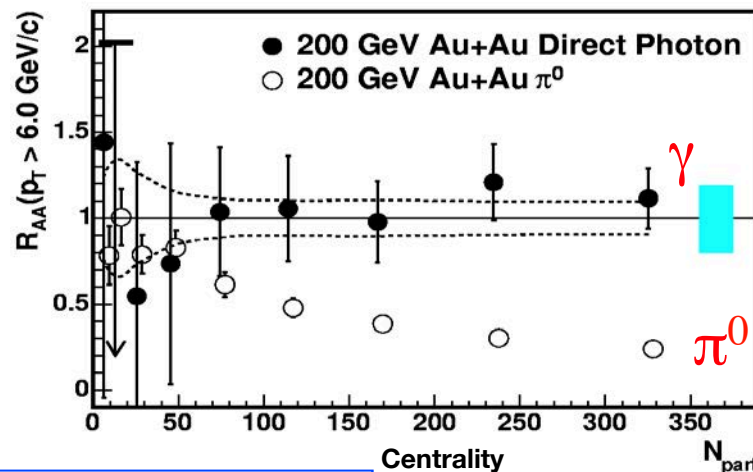
# RHI physics is based on Precision Msmnts + QCD



- This one figure encodes rigorous control of systematics

PRL94 (2005) 232301

PRL101 (2008) 232301

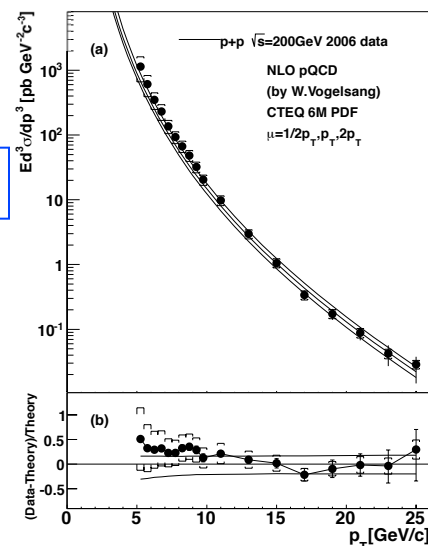
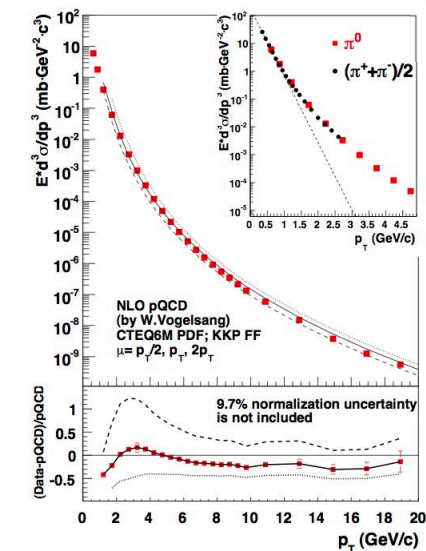
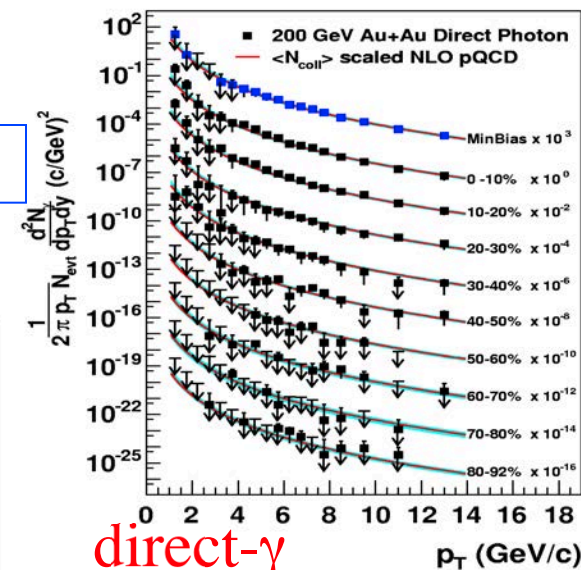


PRD76 (2007) 051106(R)

PRD 86 (2012) 072008

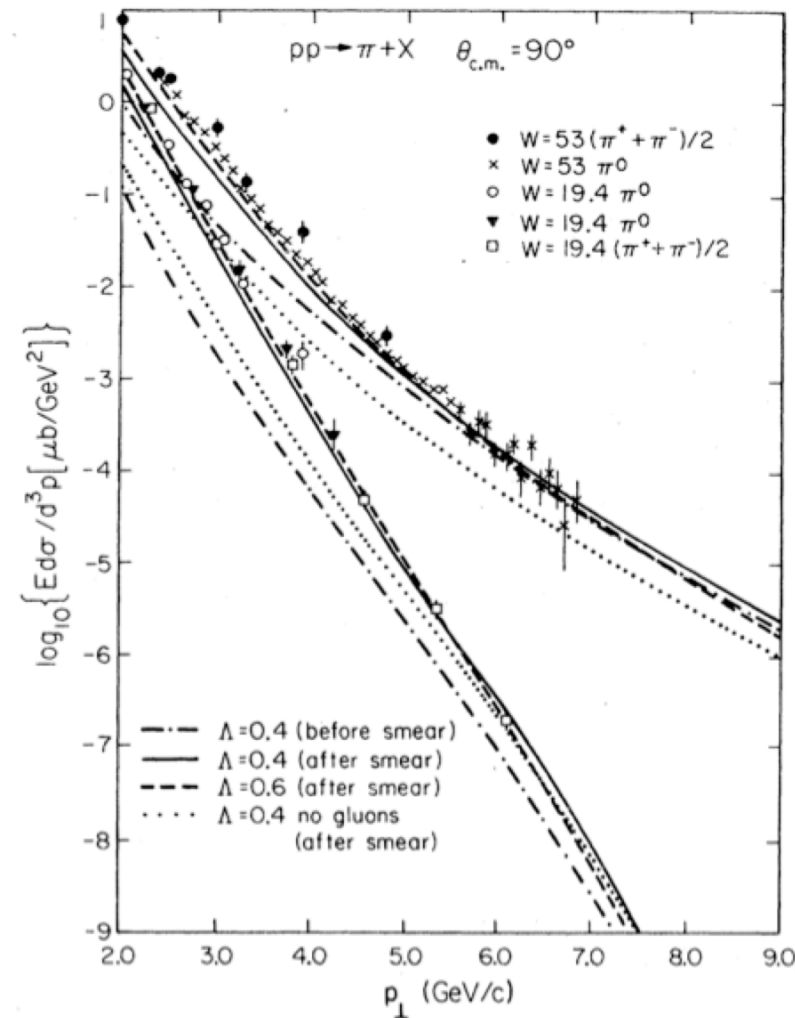
- in four different measurements over many orders of magnitude

Direct photons unaffected by QGP medium in Au+Au  $\rightarrow$   
 $\pi^0$  suppression is medium effect

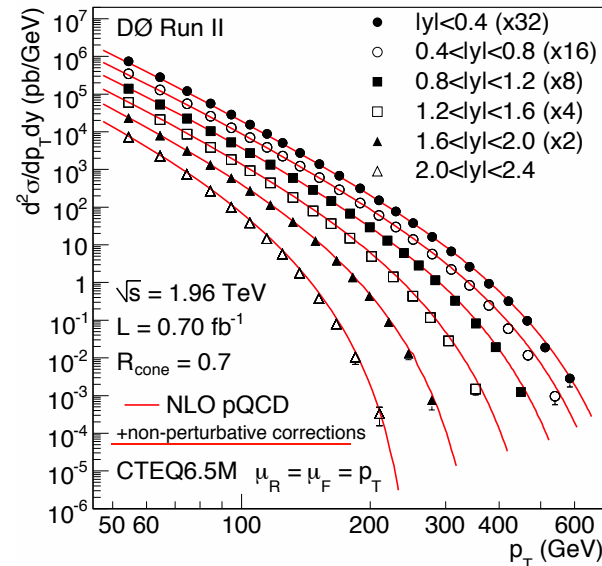




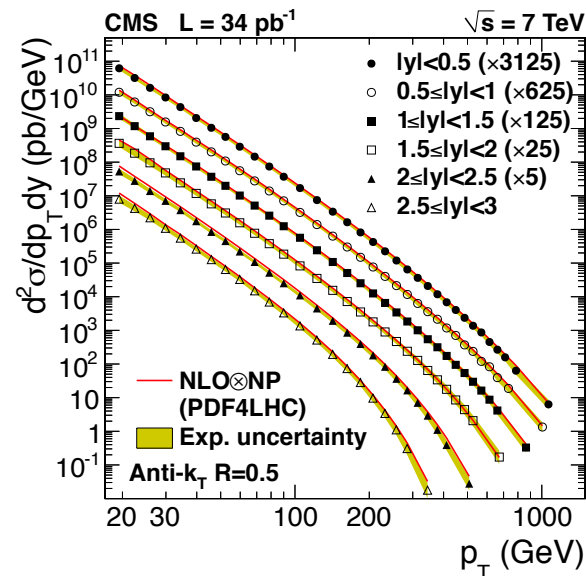
# pQCD works for single particle and jets



Feynman, Field, Fox PRD 18 (1978) 3320  
with  $\langle k_T \rangle = 0.85$  GeV/c and  $\Lambda_{\text{QCD}} \approx 0.5$  GeV



D0 1.96 TeV  
PRL **101** (2008)  
062001 Note  
power laws  
steepen at larger  $y$   
and drop sharply  
at largest  $p_T$  due  
energy  
conservation



CMS 7 TeV PRL  
**107** (2011) 132001  
Note power laws  
have weaker drop and  
smaller change with  
rapidity. We knew  
that QCD worked.  
This shows that  
partons are pointlike  
to  $Q^2 = 2p_T^2 = 2$  million  
(GeV/c) $^2 = 1.4 \cdot 10^{-19}$  m

# LO-QCD in 1 slide

## Cross Section in p-p collisions c.m. energy $\sqrt{s}$

The overall p-p reaction cross section  
is the sum over constituent reactions

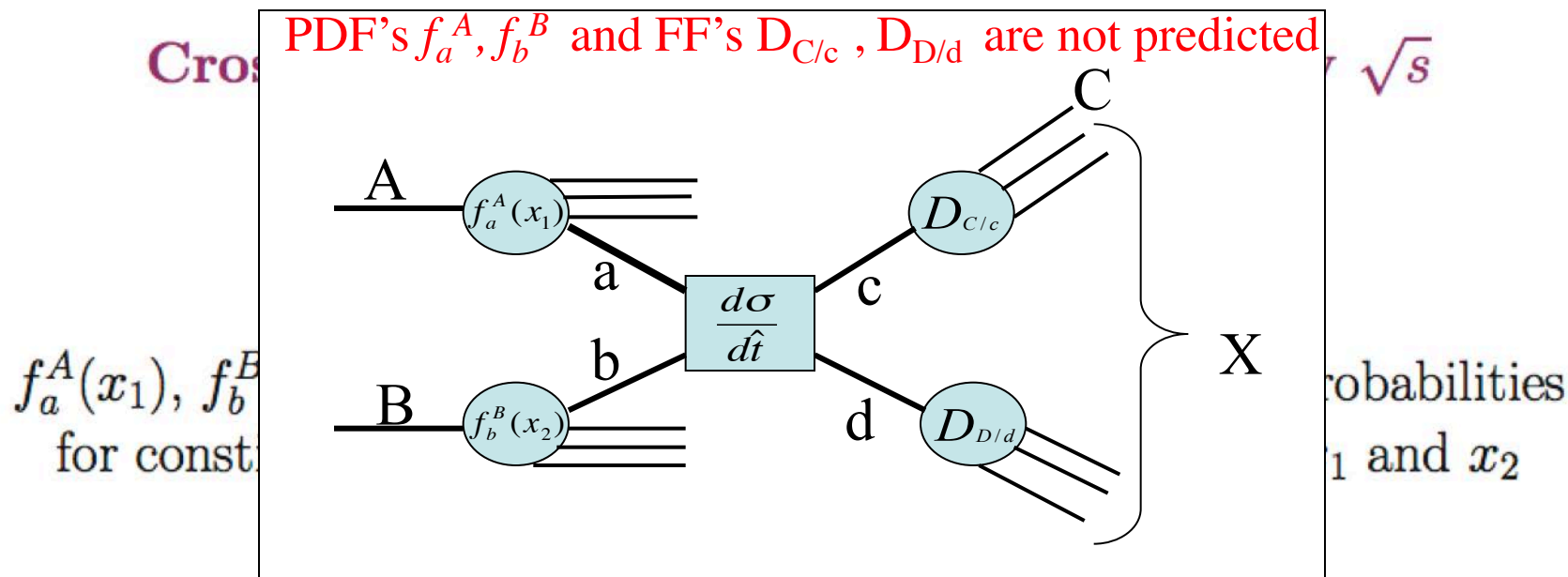
$$a + b \rightarrow c + d$$

$f_a^A(x_1)$ ,  $f_b^B(x_2)$ , are structure functions, the differential probabilities  
for constituents  $a$  and  $b$  to carry momentum fractions  $x_1$  and  $x_2$   
of their respective protons, e.g.  $u(x_1)$ ,

$$\frac{d^3\sigma}{dx_1 dx_2 d\cos\theta^*} = \frac{1}{s} \sum_{ab} f_a^A(x_1) f_b^B(x_2) \frac{\pi\alpha_s^2(Q^2)}{2x_1 x_2} \Sigma^{ab}(\cos\theta^*)$$

$\Sigma^{ab}(\cos\theta^*)$ , the characteristic subprocess angular distributions  
and  $\alpha_s(Q^2) = \frac{12\pi}{25 \ln(Q^2/\Lambda^2)}$  are predicted by QCD

# LO-QCD in 1 slide



$$\frac{d^3\sigma}{dx_1 dx_2 d\cos\theta^*} = \frac{1}{s} \sum_{ab} f_a^A(x_1) f_b^B(x_2) \frac{\pi\alpha_s^2(Q^2)}{2x_1 x_2} \Sigma^{ab}(\cos\theta^*)$$

$\Sigma^{ab}(\cos\theta^*)$ , the characteristic subprocess angular distributions  
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# $\Sigma^{ab}(\cos\theta^*)$ in LO-QCD

a)  $qq' \rightarrow qq'$   $\frac{4}{9} \frac{\hat{s}^2 + \hat{u}^2}{\hat{t}^2}$   
 $\bar{q}q' \rightarrow \bar{q}q'$

b)  $qq \rightarrow qq$   $\frac{4}{9} \left( \frac{\hat{s}^2 + \hat{u}^2}{\hat{t}^2} + \frac{\hat{s}^2 + \hat{t}^2}{\hat{u}^2} \right) - \frac{8}{27} \frac{\hat{s}^2}{\hat{u}\hat{t}}$

c)  $\bar{q}q \rightarrow \bar{q}'q'$   $\frac{4}{9} \frac{\hat{t}^2 + \hat{u}^2}{\hat{s}^2}$

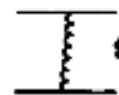
d)  $\bar{q}q \rightarrow \bar{q}q$   $\frac{4}{9} \left( \frac{\hat{s}^2 + \hat{u}^2}{\hat{t}^2} + \frac{\hat{t}^2 + \hat{u}^2}{\hat{s}^2} \right) - \frac{8}{27} \frac{\hat{u}^2}{\hat{s}\hat{t}}$

e)  $\bar{q}q \rightarrow gg$   $\frac{32}{27} \frac{\hat{u}^2 + \hat{t}^2}{\hat{u}\hat{t}} - \frac{8}{3} \frac{\hat{u}^2 + \hat{t}^2}{\hat{s}^2}$

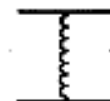
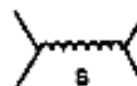
f)  $gg \rightarrow \bar{q}q$   $\frac{1}{6} \frac{\hat{u}^2 + \hat{t}^2}{\hat{u}\hat{t}} - \frac{3}{8} \frac{\hat{u}^2 + \hat{t}^2}{\hat{s}^2}$

g)  $qg \rightarrow qg$   $-\frac{4}{9} \frac{\hat{u}^2 + \hat{s}^2}{\hat{u}\hat{s}} + \frac{\hat{u}^2 + \hat{s}^2}{\hat{t}^2}$

h)  $gg \rightarrow gg$   $\frac{9}{2} \left( 3 - \frac{\hat{u}\hat{t}}{\hat{s}^2} - \frac{\hat{u}\hat{s}}{\hat{t}^2} - \frac{\hat{s}\hat{t}}{\hat{u}^2} \right)$

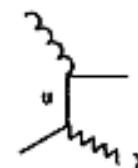
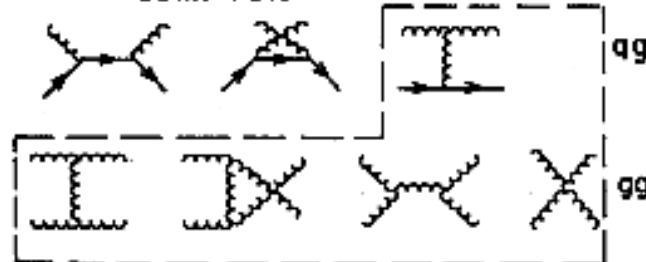


qq MOLLER

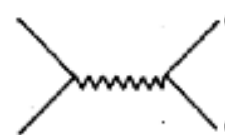


$\bar{q}q$  BHABHA

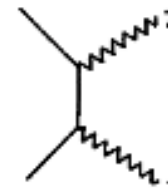
COMPTON



qg



DRELL-YAN



$\bar{q}q$



# $\Sigma^{ab}(\cos \theta^*)$ and the spin asymmetry are Fundamental predictions of QCD

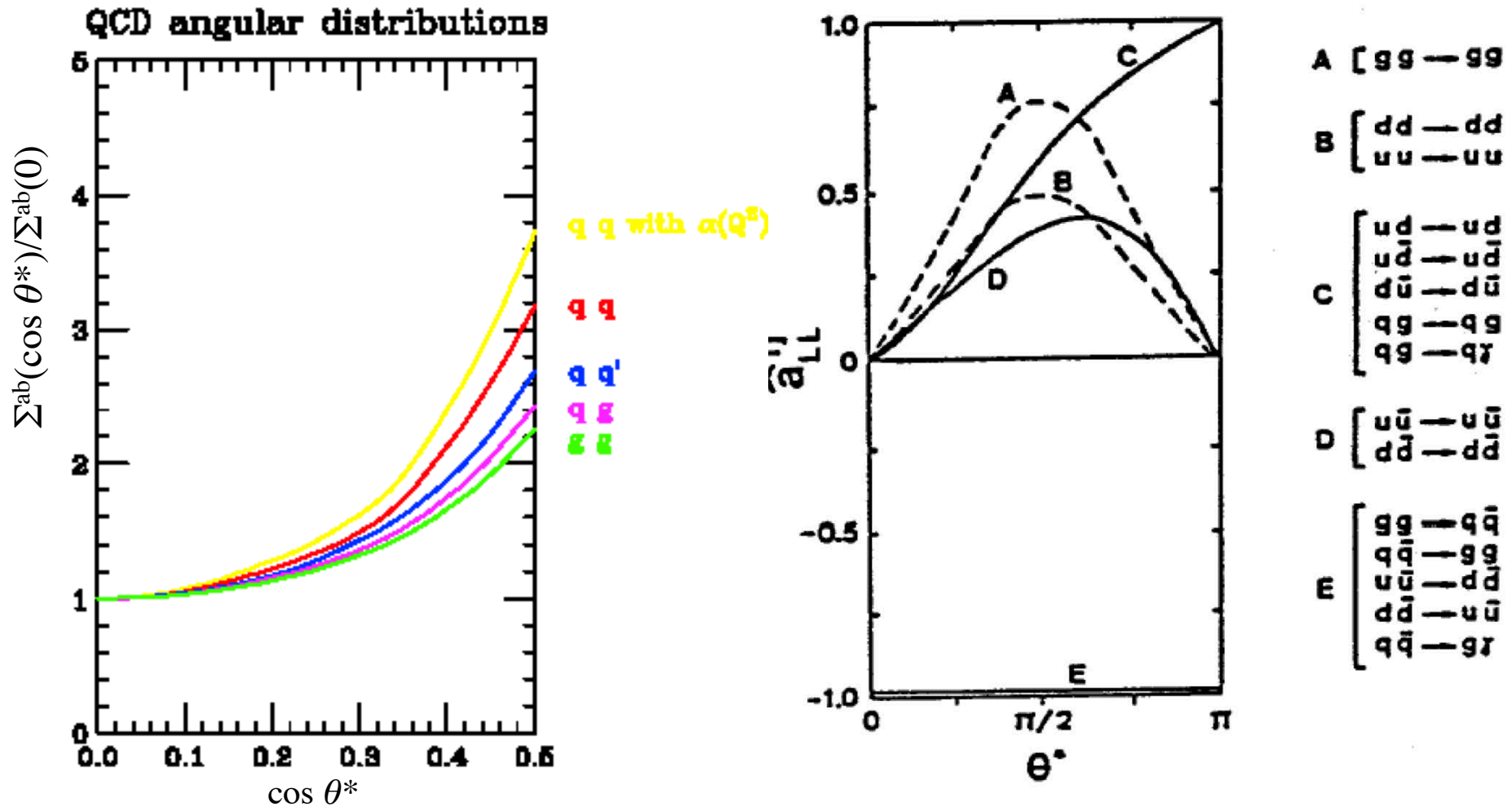


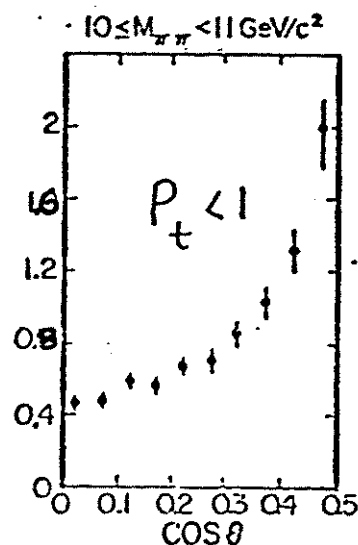
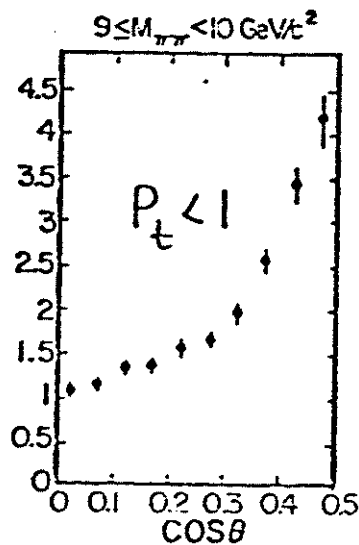
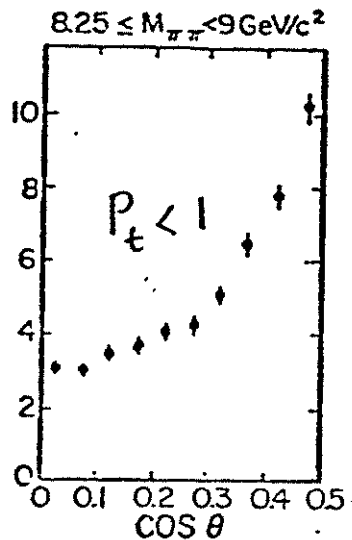
Fig. 2. Characteristic QCD Subprocess angular distributions: (a) scattering; (b) spin asymmetry

QCD is the correct theory of the strong interactions which generally works in p-p collisions at RHIC and LHC; BUT one of the major problems is that the structure and fragmentation functions must be put in by hand. So I think that pure data-driven analyses are a better test of the basic theory.

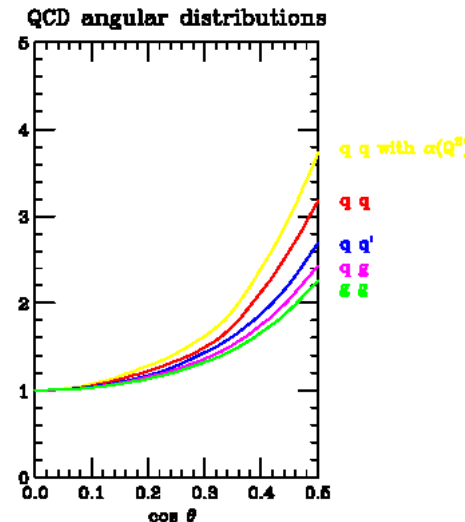
# ICHEP Paris 1982-first measurement of QCD subprocess angular distribution $S^{ab}(\cos \theta^*)$ using $\pi^0$ - $\pi^0$ correlations

DATA: CCOR NPB 209, 284 (1982)

Di Pion Angular Distributions *CONSTITUENT  
COM POLAR ANGLE*  
 $\sqrt{s} = 62.4 \text{ GeV}$



QCD



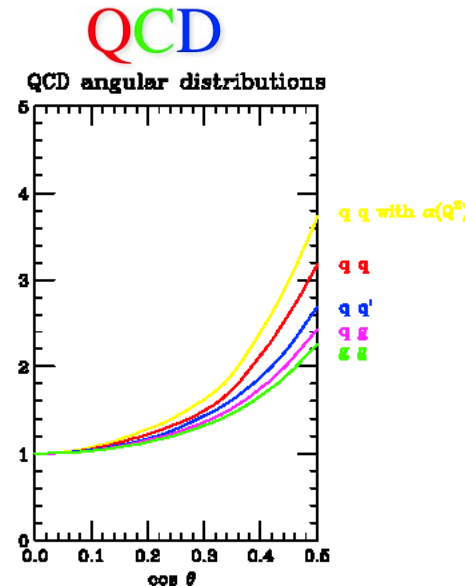
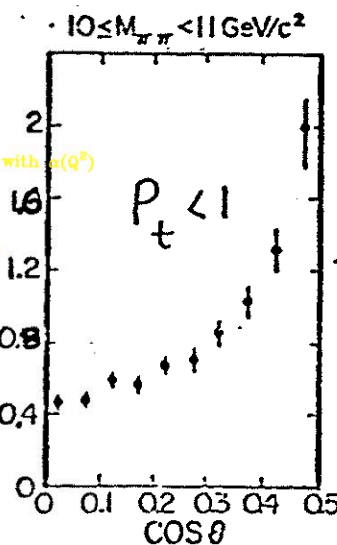
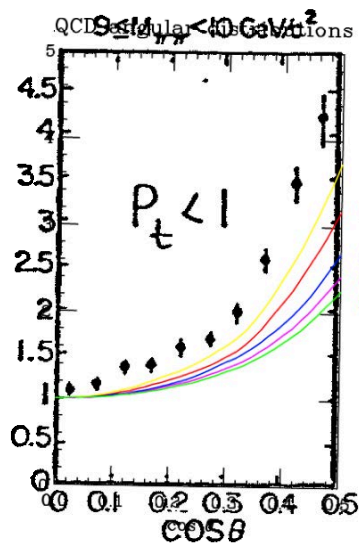
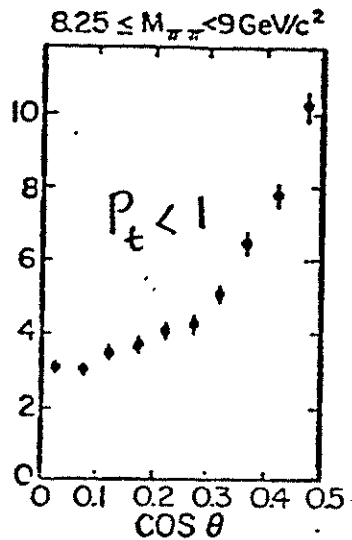
$$\frac{d^3\sigma}{dx_1 dx_2 d\cos\theta^*} = \frac{1}{s} \sum_{ab} f_a^A(x_1) f_b^B(x_2) \frac{\pi\alpha_s^2(Q^2)}{2x_1 x_2} \Sigma^{ab}(\cos\theta^*)$$

$\Sigma^{ab}(\cos\theta^*)$ , the characteristic subprocess angular distributions  
and  $\alpha_s(Q^2) = \frac{12\pi}{25 \ln(Q^2/\Lambda^2)}$  are predicted by QCD

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# $x_T$ scaling

The invariant cross section for the single-particle inclusive reaction  $p + p \rightarrow C + X$  where particle  $C$  has transverse momentum  $p_T$  near mid-rapidity, was given by the general scaling form [54]:

$$E \frac{d^3\sigma}{dp^3} = \frac{1}{p_T^n} F\left(\frac{2p_T}{\sqrt{s}}\right) \quad \text{where} \quad x_T = 2p_T/\sqrt{s}$$

There are 2 factors: a function  $F$  which depends only on the ratio of momenta, and a dimensioned factor,  $p_T^{-n}$ , where  $n$  depends on the quantum exchanged in the hard-scattering. For QED or Vector Gluon exchange [53],  $n = 4$ . For the case of quark-meson scattering by the exchange of a quark [54],  $n=8$ .

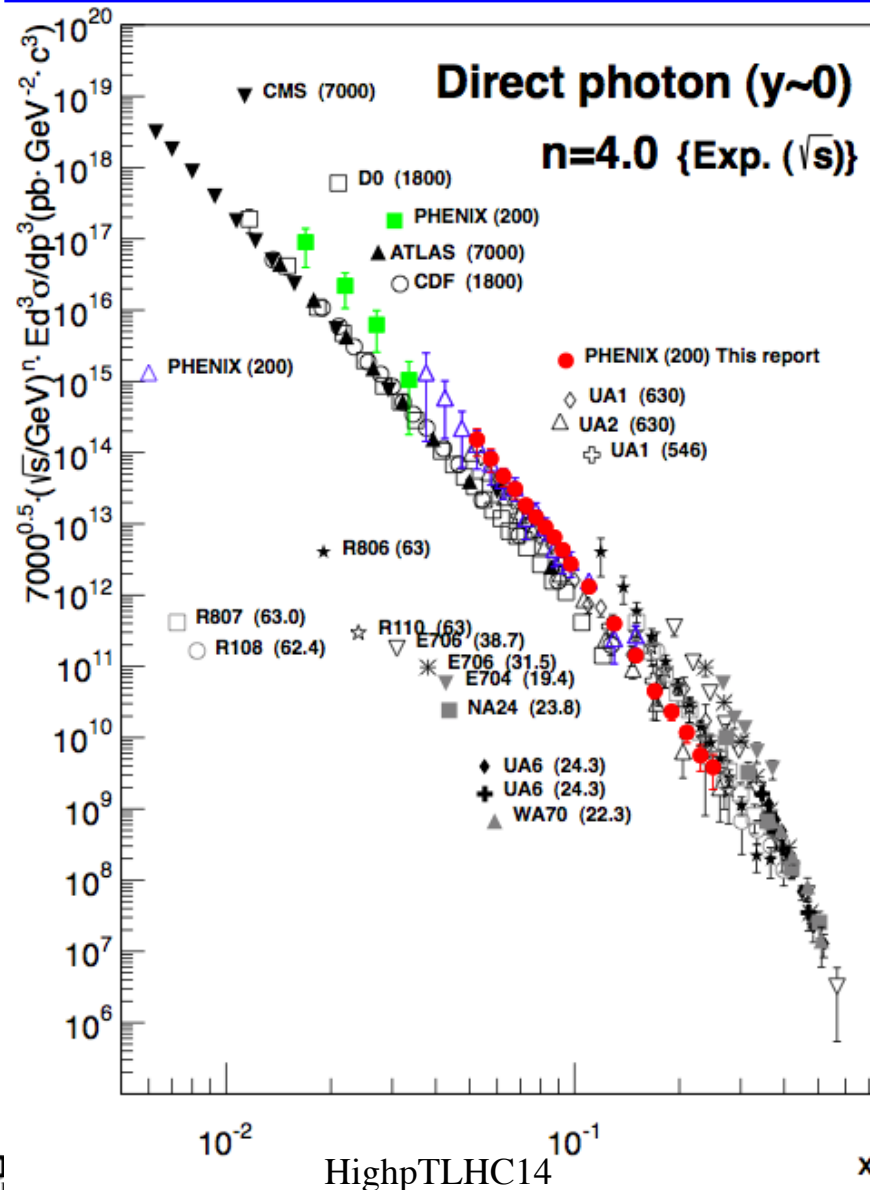
Inclusion of QCD [58] into the scaling form led to the  $x_T$ -scaling law

$$E \frac{d^3\sigma}{dp^3} = \frac{1}{\sqrt{s}^{n(x_T, \sqrt{s})}} G(x_T)$$

where the “ $x_T$ -scaling power”  $n(x_T, \sqrt{s})$  should equal 4 in lowest order (LO) calculations, analogous to the  $1/q^4$  form of Rutherford Scattering in QED. The structure and fragmentation functions, which scale as the ratios of momenta are all in the  $G(x_T)$  term. Due to higher order effects such as the running of the coupling constant,  $\alpha_s(Q^2)$ , the evolution of the structure and fragmentation functions, and the initial state  $k_T$ , measured values of  $n(x_T, \sqrt{s})$  in  $p + p$  collisions are in the range from 5 to 8.

See the classic paper of Fritzsche and Minkowski, PLB **69** (1977) 316-320

Plot by PHENIX Phys. Rev. D **86**(2012) 072008



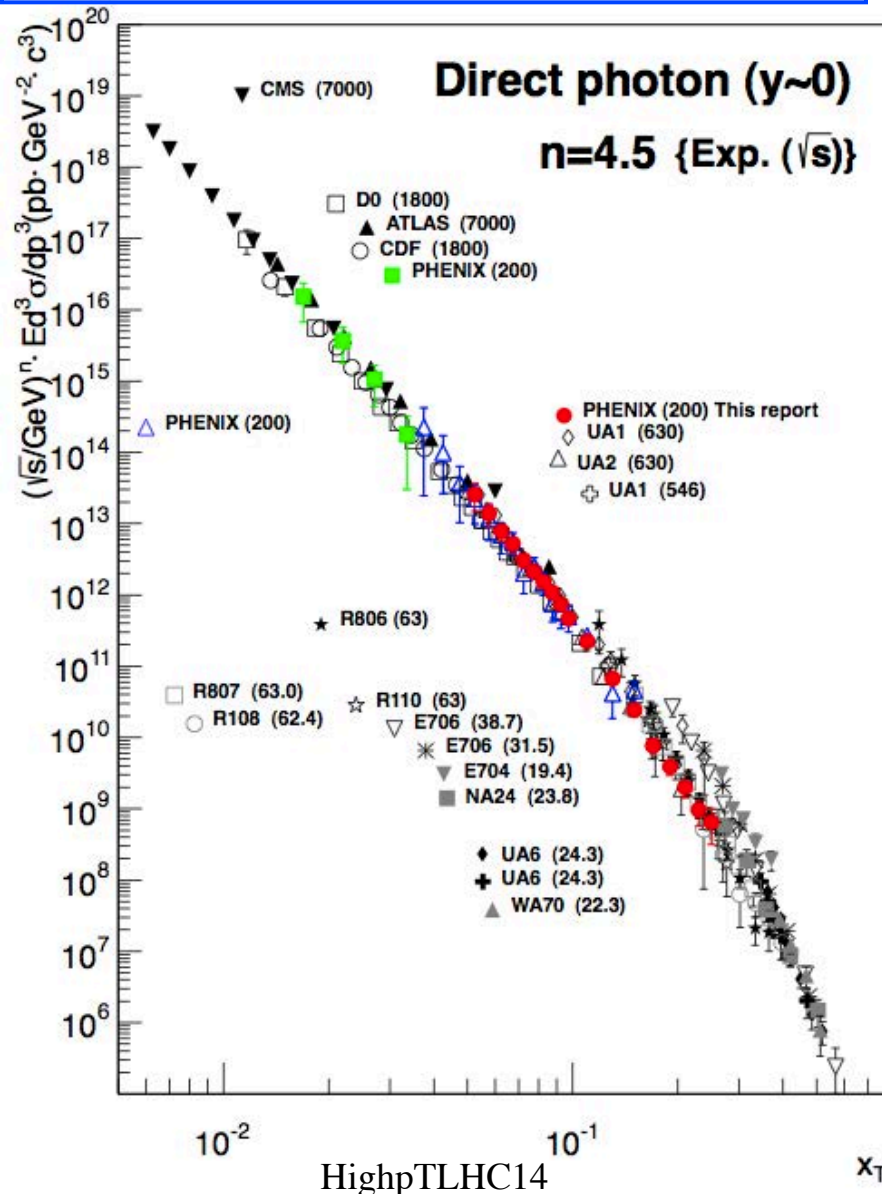
$x_T$  scaling with  $n_{\text{eff}}=4$  (parton model) QCD non-scaling is visible

Collection of World's direct- $\gamma$  measurements in (p+p / p+pbar) including PHENIX low  $p_T$  msmt. PRL104(2010)132301 and PRC87(2013)054907

# QCD in Action 2012 in Direct $\gamma$ production $g+q \rightarrow \gamma+q$

See the classic paper of Fritzsche and Minkowski, PLB **69** (1977) 316-320

Plot by PHENIX Phys. Rev. D86(2012) 072008

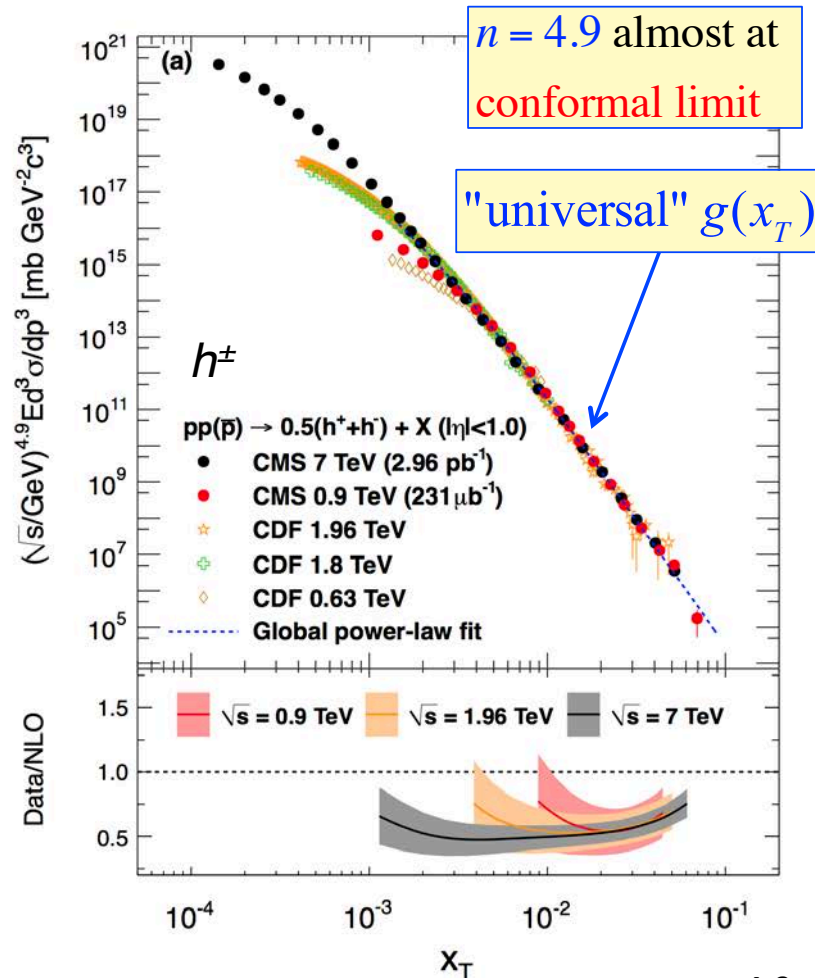


$x_T$  scaling with  $n_{\text{eff}}=4.5$  works for direct- $\gamma$  due to QCD non-scaling

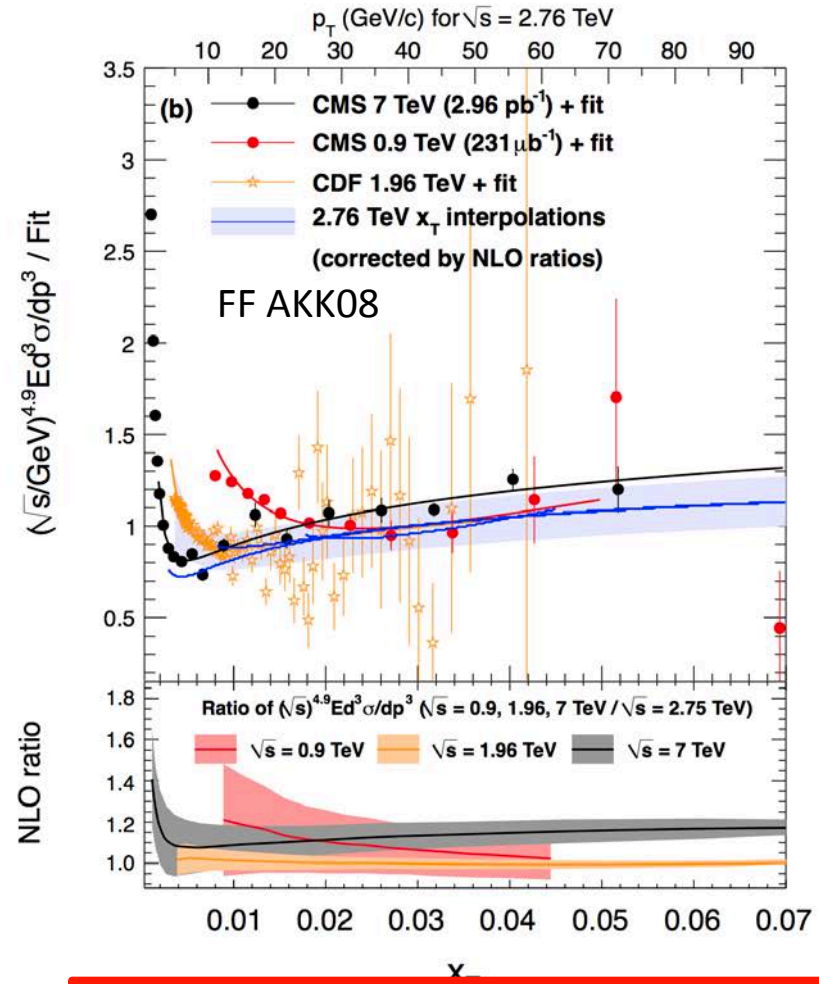
Collection of World's direct- $\gamma$  measurements in (p+p / p+pbar) including PHENIX low  $p_T$  msmt. PRL104(2010)132301 and PRC87(2013)054907

$$E \frac{d^3\sigma}{d^3p} \propto \frac{1}{\sqrt{s}^{4.9}} g(x_T), \quad x_T \equiv \frac{2p_T}{\sqrt{s}}$$

Good old  $x_T$  scaling holds at LHC



$g(x_T, \vartheta)$  scaled empirically  $(\sqrt{s})^{4.9}$   
Scaling holds in  $\sqrt{s}=0.6-7 \text{ TeV}$  !



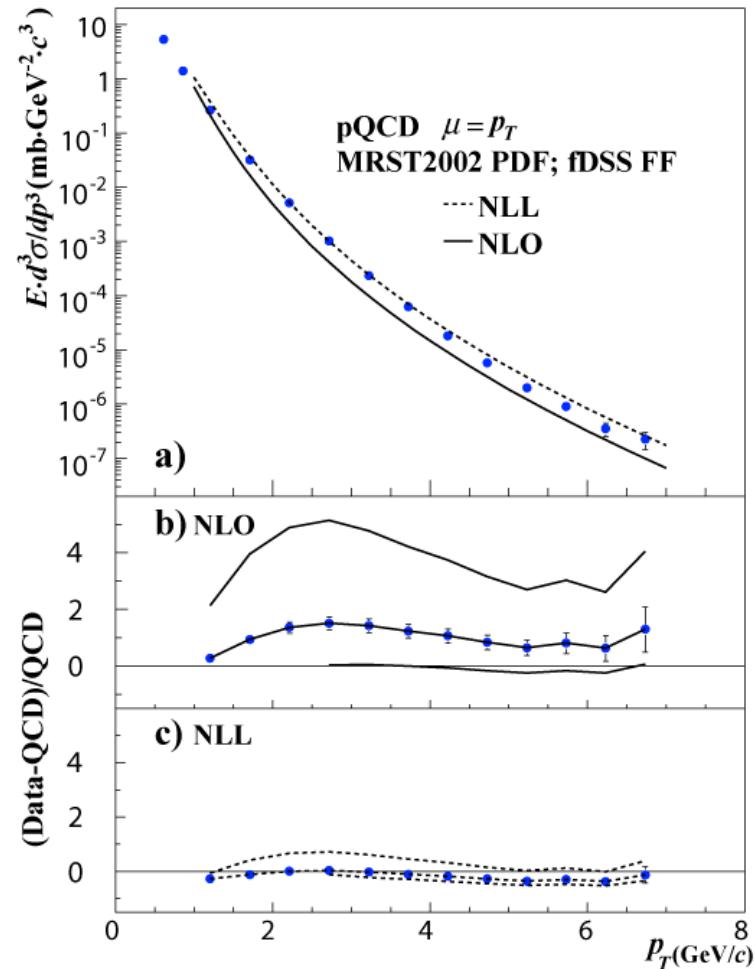
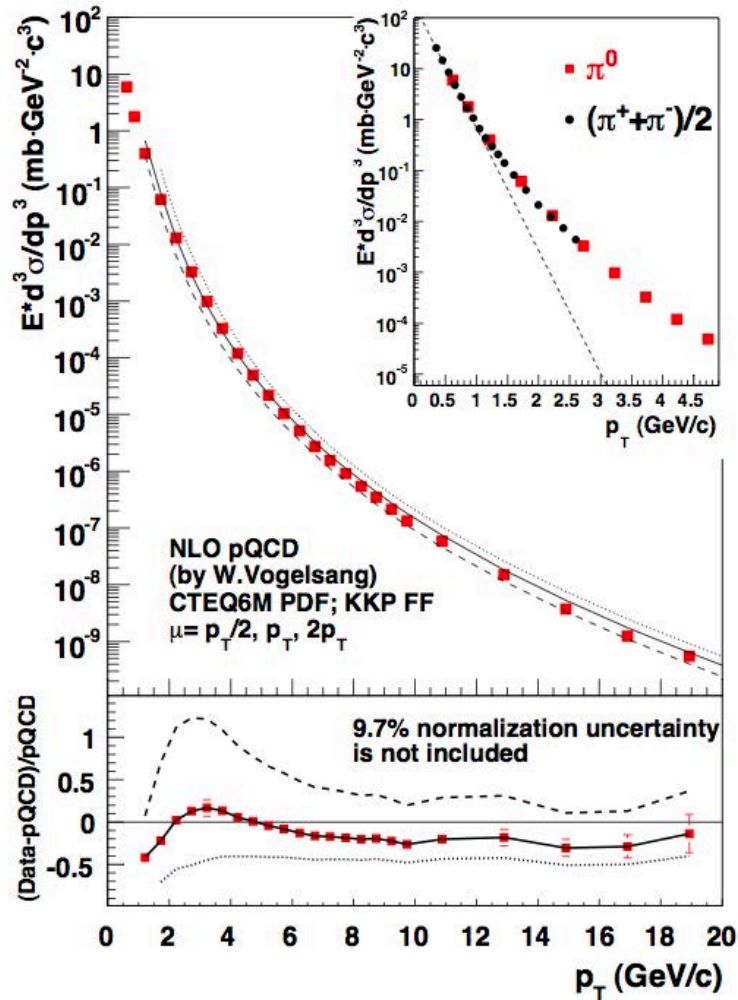
Factor of 2 deviation from NLO  
JHEP08 2011 086



Note that  $x_T$  scaling works but the data disagree with NLO-QCD.  
Not every calculation labeled QCD is correct, according to me.  
In Prague, Kari Eskola asked me whether I believed in QCD. I said, “of course but I am skeptical of many calculations that claim to be QCD.”

# Even the good calculations have issues

p-p  $\sqrt{s}=200$  GeV PHENIX PRD76 (2007) 051106(R)



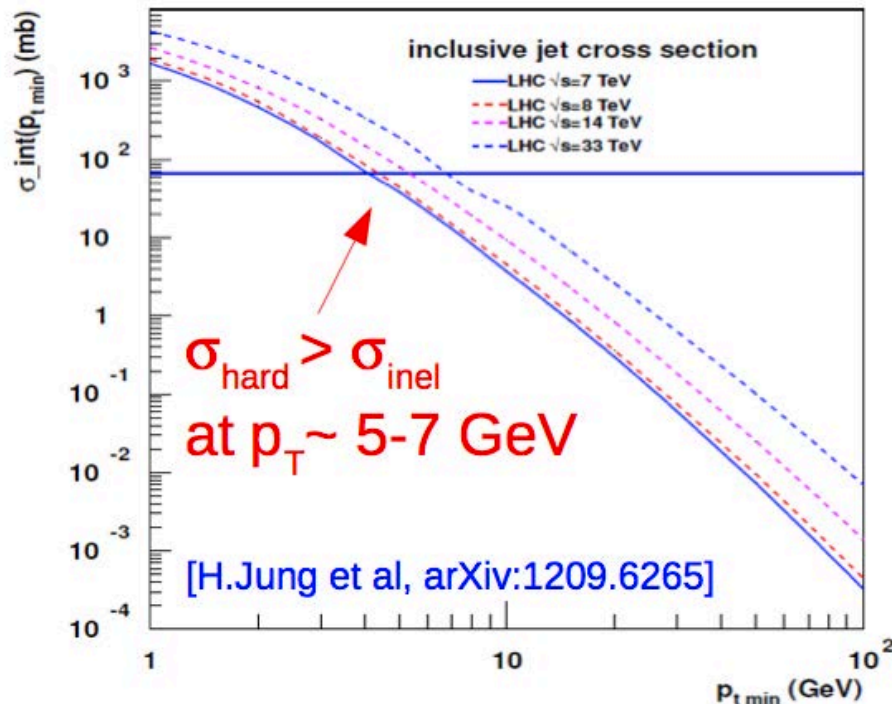
p-p  $\sqrt{s}=62.4$  GeV PHENIX PRD79 (2008) 241803

Uncertainties are factorization scales for PDF and FF and renormalization scale for  $\alpha_s(Q^2)$ , all represented by a parameter  $\mu$ , which lead to uncertainties of factor of  $\sim 2$  as well as disagreements, e.g. by factor of 2 at 62.4 GeV, in NLO QCD calculations

# Then there are the others (from Jan Rak-Crete)

pQCD (mini)jet production x-section is **larger** than total inelastic  $p$ - $p$  x-section for  $p_{T\min} \sim 5$ -7 GeV at the LHC !

Phys.Rev., 2012, D86, 117501

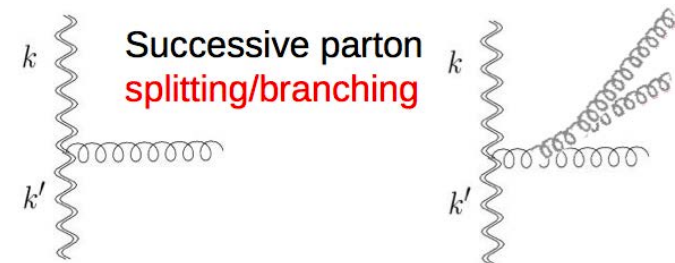


Possible solutions:

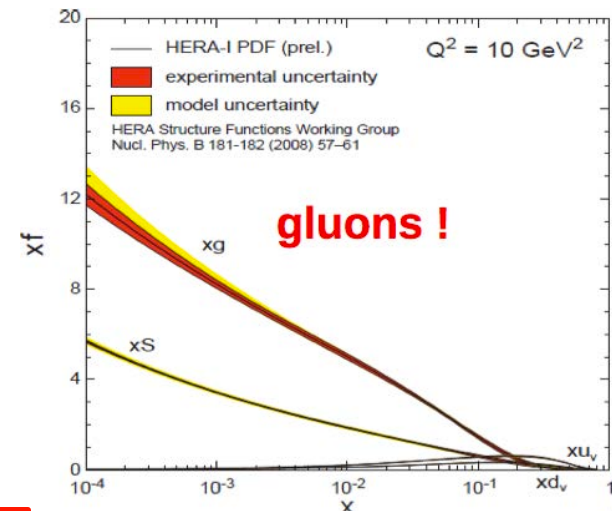
- Do a real QCD calculation with all order log corrections

MJT comment

DGLAP PDF evolution



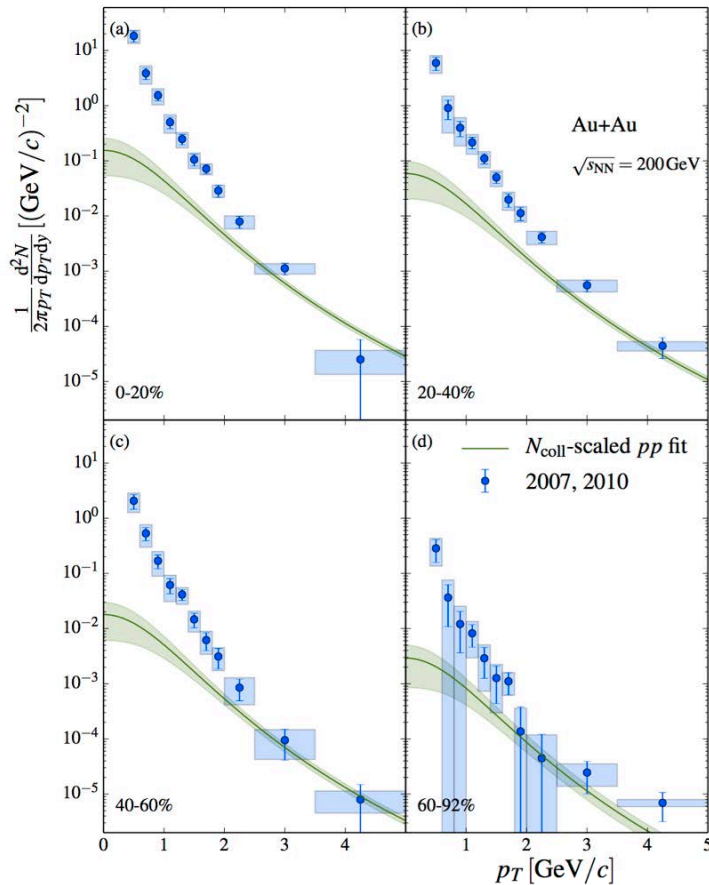
Too many gluons at low  $x$



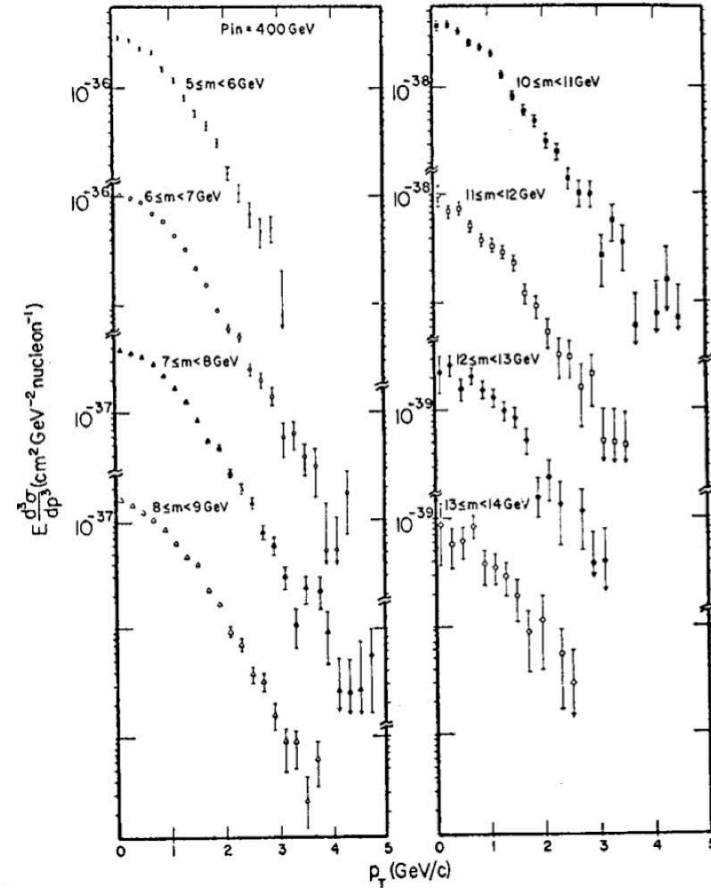


# What really happens to hard scattering at low $p_T$

PHENIX arXiv:1405.3940



AuAu direct  $\gamma$  spectra vs centrality is exponential  $p_T < 3$  GeV/c compared to scaled p-p power-law spectrum which flattens for  $p_T < 3$  GeV/c



p-p  $\sqrt{s}=27.4$  GeV CFS PRD23 (1981) 604

$p_T$  distribution of Drell-Yan pairs also turns over at low  $p_T$  and does not diverge. In LO-QCD,  $p_T=0$ . In NLO, cross section is infinite because color-charged partons are all massless in QCD unlike electrically-charged particles in QED,  $m_e=0.51$  MeV/c<sup>2</sup>

A similar misuse of pQCD at low  $p_T$  led to the proposal that there were significant hard-scattering contributions to  $E_T$  and  $N_{ch}$  distributions well known from HEP to be absent (see book). This led to the ansatz:

$$dE_T^{AA}/d\eta = [(1 - x) \langle N_{part} \rangle dE_T^{pp}/d\eta/2 + x \langle N_{coll} \rangle dE_T^{pp}/d\eta]$$

We showed, this year, that the Constituent Quark Participant Model ( $N_{qp}$ ) works at mid-rapidity for A+B collisions in the range  $(\sim 30 \text{ GeV}) 62.4 \text{ GeV} < \sqrt{s_{NN}} < 2.76 \text{ TeV}$ . The two component ansatz  $[(1-x)N_{part}/2 + x N_{coll}]$  also works but does not imply a hard-scattering component in  $N_{ch}$  and  $E_T$  distributions. It is instead a proxy for  $N_{qp}$  as a function of centrality. The ratio  $N_{qp}/[(1-x)N_{part}/2 + x N_{coll}]$ , with  $x=0.08$ , equals 3.38 on the average at  $\sqrt{s_{NN}}=200$  and varies by less than 1% over the entire centrality range.

PHENIX PRC 80 (2014) 044905, also MJT QM2014 proc, QM1984 proc!

# Constituent Quarks cf. Partons

Constituent quarks are Gell-Mann's quarks from Phys. Lett. 8 (1964)214, proton= $uud$  [Zweig's Aces]. These are relevant for static properties and soft physics, low  $Q^2 < 2 \text{ GeV}^2$ ; resolution  $> 0.14 \text{ fm}$

For hard-scattering,  $p_T > 2 \text{ GeV}/c$ ,  $Q^2 = 2p_T^2 > 8 \text{ GeV}^2$ , the partons ( $\sim$ massless current quarks, gluons and sea quarks) become visible

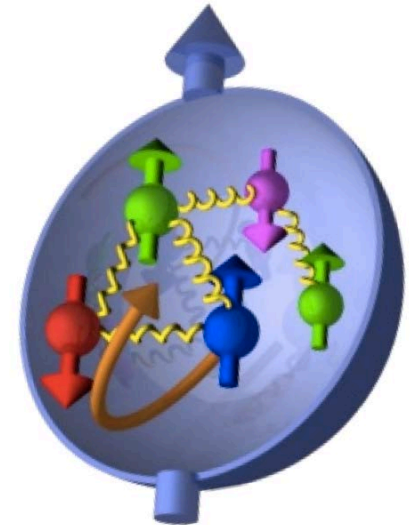


1.6fm

Resolution  $\sim 0.5 \text{ fm}$



Resolution  $\sim 0.1 \text{ fm}$

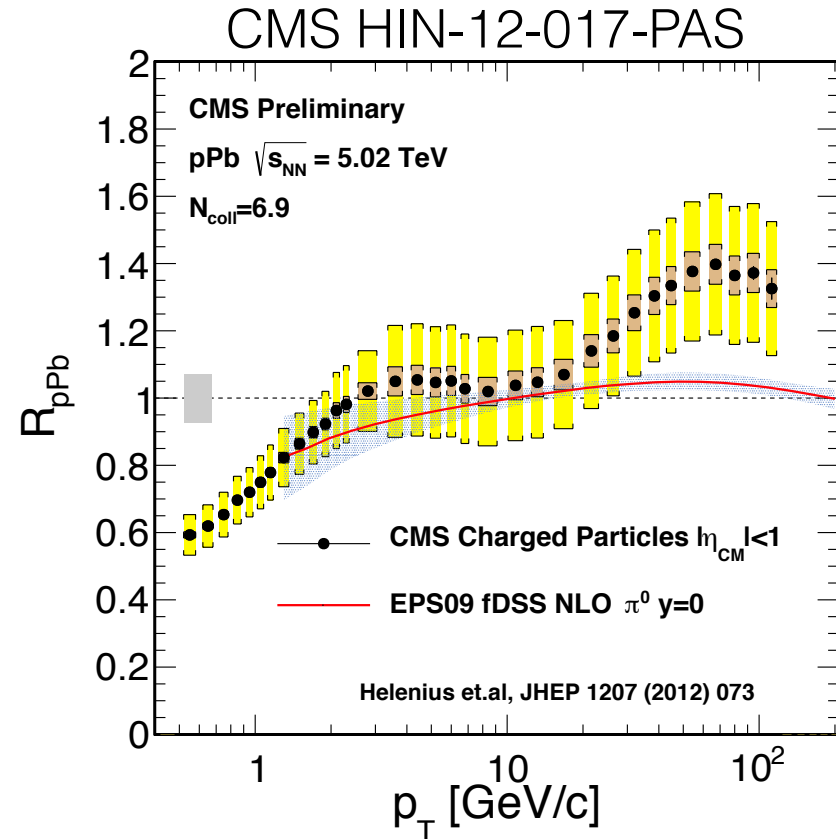
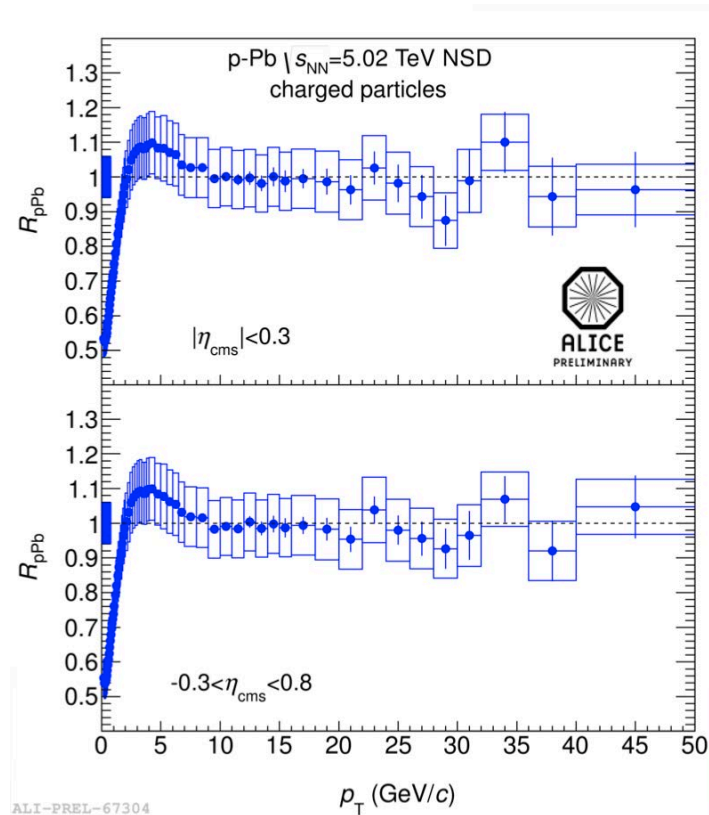


Resolution  $< 0.07 \text{ fm}$

# The importance of p-p comparison data at the same $\sqrt{s}$ measured in the same detector

Slide by Dennis.V. Perepelitsa, BNL

## Single particles: confusion at very high- $p_T$

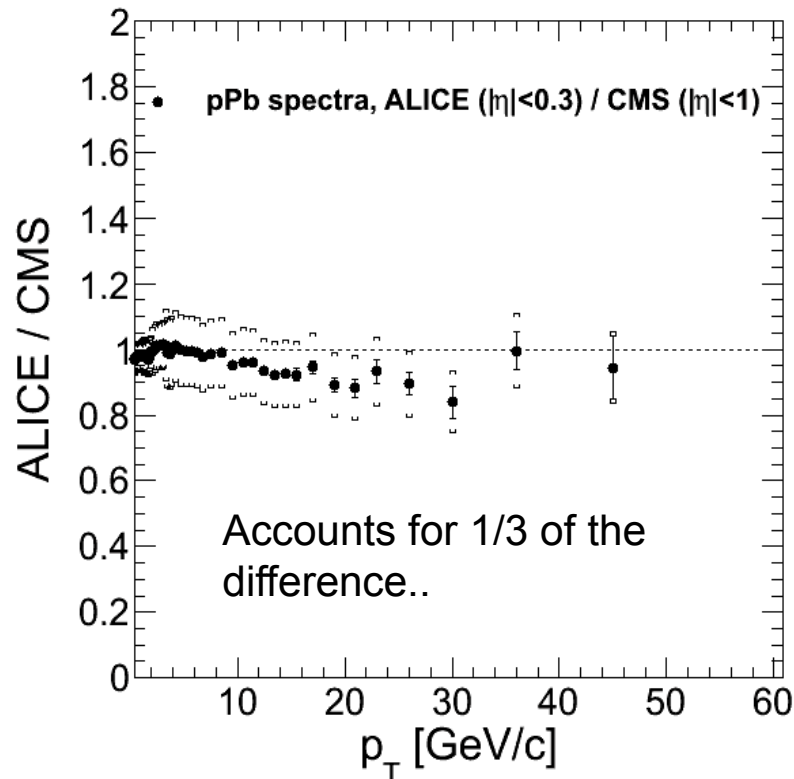


- ALICE reports no effect out to 50 GeV...
- CMS shows a 40% enhancement above 20 GeV!
  - challenging to accommodate within nPDF frameworks

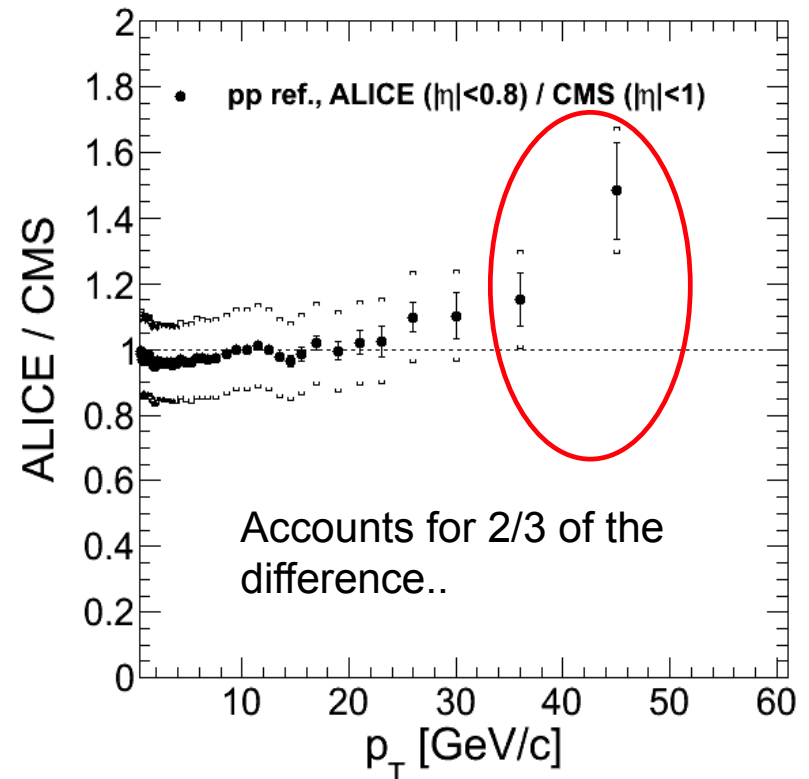


# The explanation?

## pPb charged particle spectra ratio (ALICE/CMS)



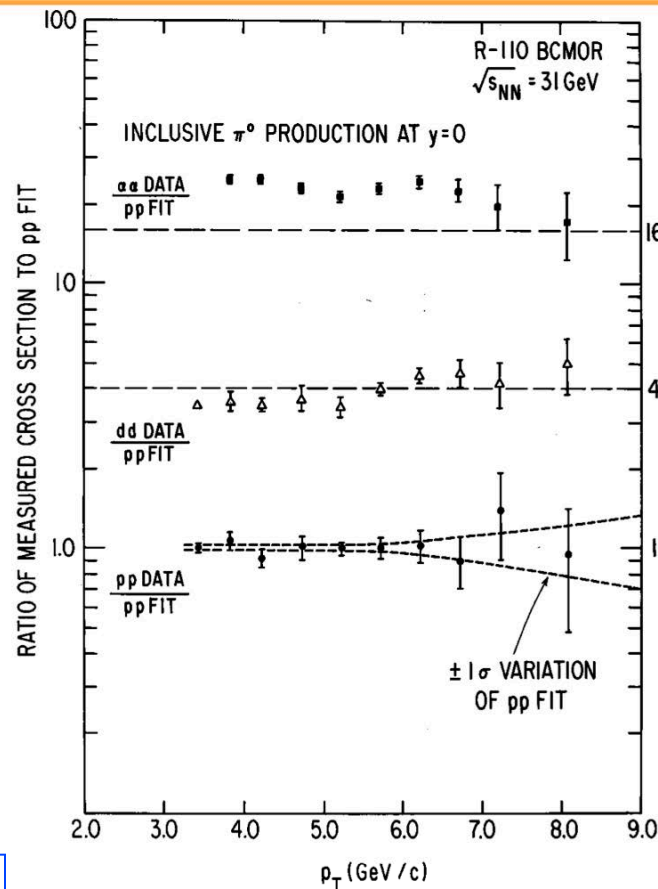
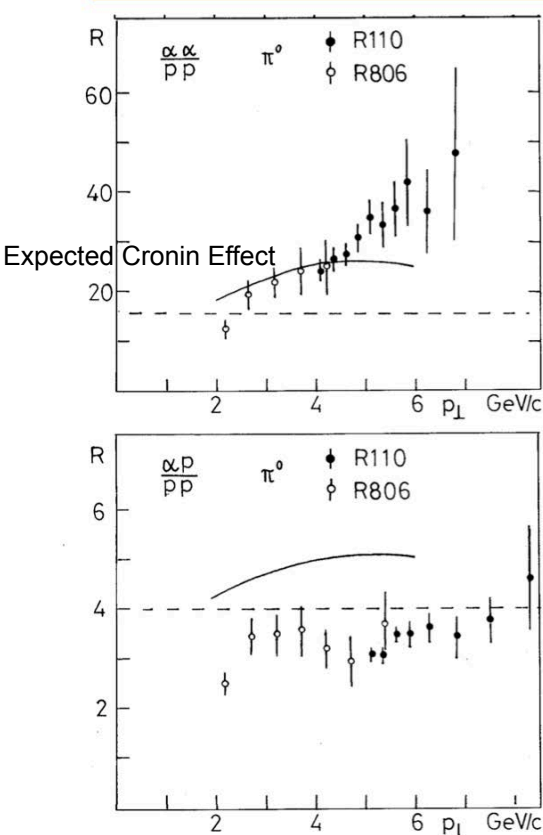
## pp reference spectra ratio (ALICE/CMS)



Discrepancy mainly comes from pp reference  
Urgently need 5.02 TeV pp reference data!

# A similar issue caused excitement at CERN and helped the approval of SpS Heavy Ions

In 1984 a program of Heavy ions in the CERN-SPS was approved by the DG, Herwig Schopper, partly due to some “exciting results” from  $\alpha$ - $\alpha$  collisions at the CERN-ISR

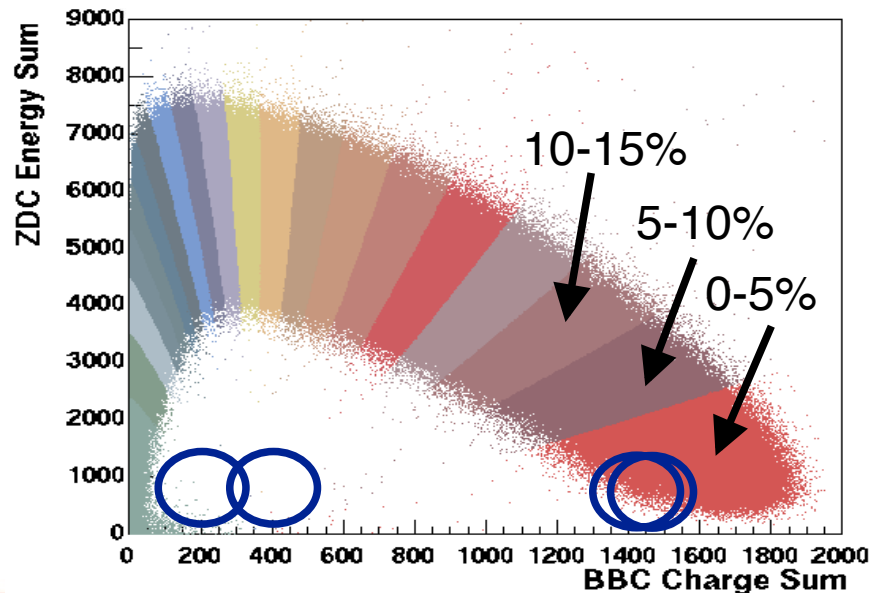
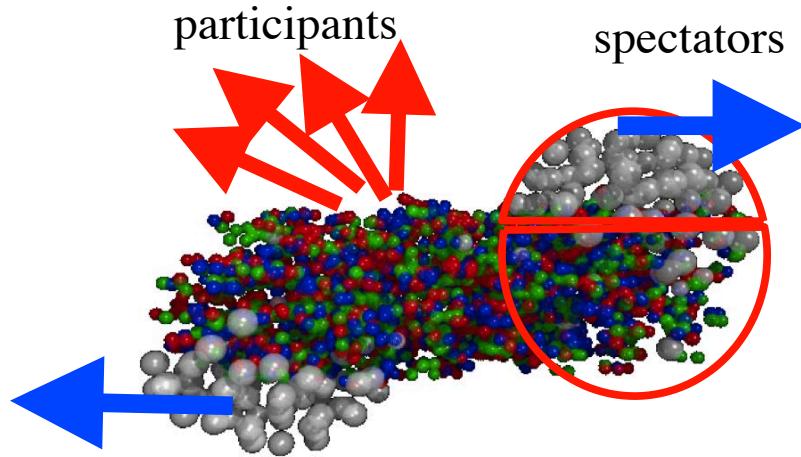


The large value of the  $\alpha\alpha/pp$  cross sections in PLB116 was **WRONG** because of an incorrect extrapolation of p-p measurements from  $\sqrt{s}=62.4$  to 31 ( $\alpha\alpha$ ) and 44 ( $\alpha p$ ) GeV. I complained about this but I was busy making magnets at ISABELLE at the time—a lucky break in retrospect. This shows that sometimes **WRONG RESULTS** have a bigger impact than correct results because they are **EXCITING**; but this does not excuse making mistakes.

**COR PLB 116 (1982) 379**  
replotted by Martin Faessler

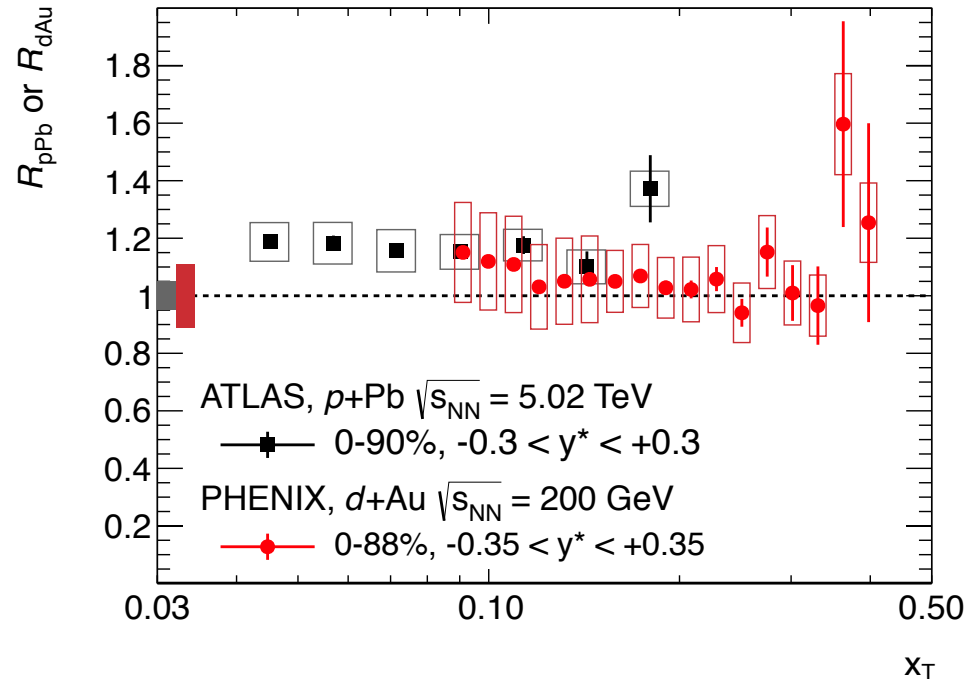
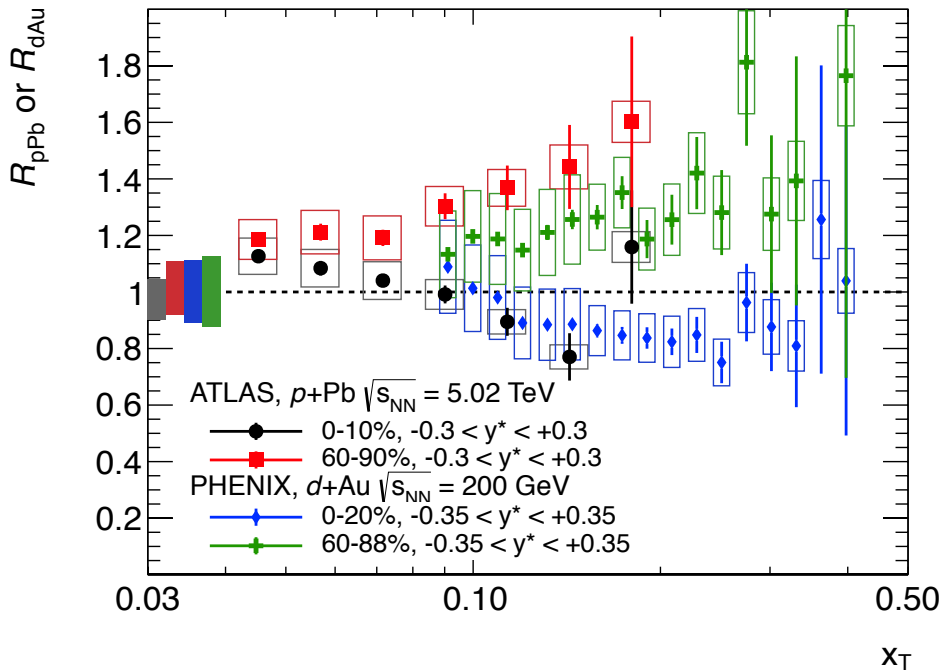
**BCMOR PLB 185 (1987) 213**

# Collision Centrality defined by the number of participating nucleons $N_{\text{part}}$ can be measured from spectators in Zero Degree Calorimeter for fixed target but not at a collider



- Number of Spectators (i.e. non-participants)  $N_s$  can be measured directly in Zero Degree Calorimeters in fixed target experiments.
- Enables unambiguous measurement of (projectile) participants =  $A_p - N_s$
- For symmetric A+A collision  $N_{\text{part}} = 2 N_{\text{projpart}}$
- At a collider can not measure the spectators which may be free neutrons, protons or clusters. If  $Z/A$  of cluster is same as the beam, it stays in the beam; but the neutrons can be detected at zero degrees. The distribution of Energy in Beam Beam Counters can be measured and the centrality defined by upper percentile of the distributions, but  $N_{\text{part}}$  is model dependent and may have biases

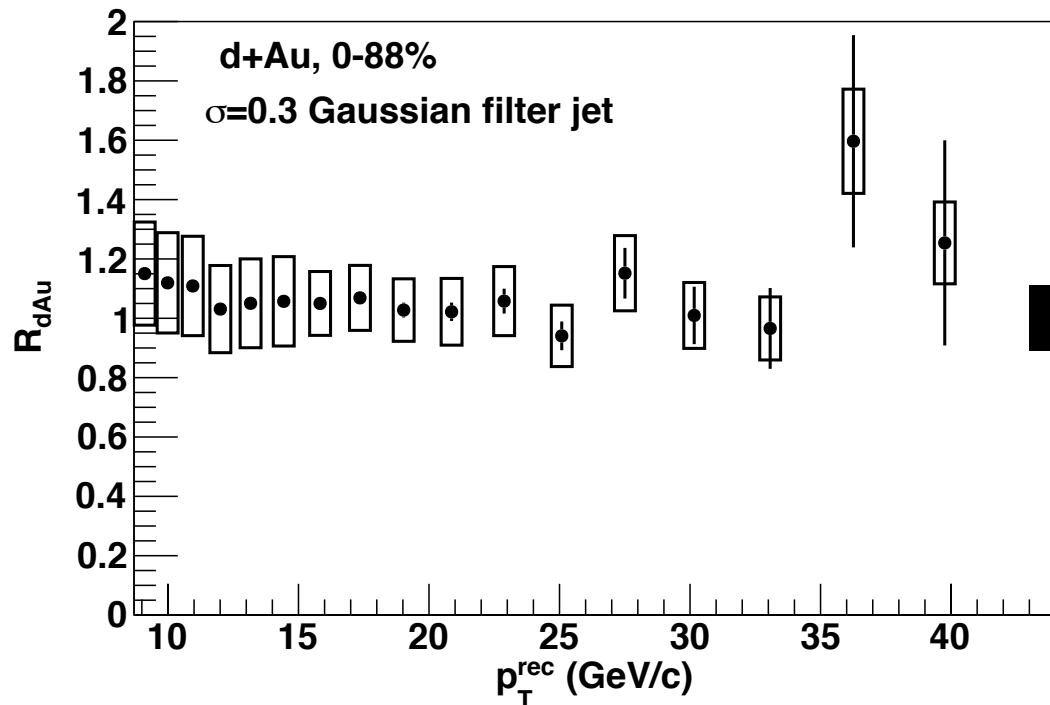
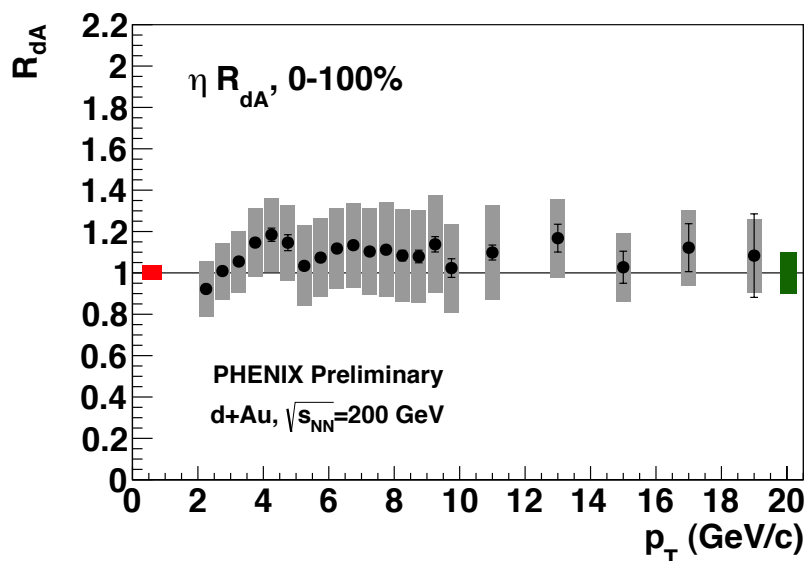
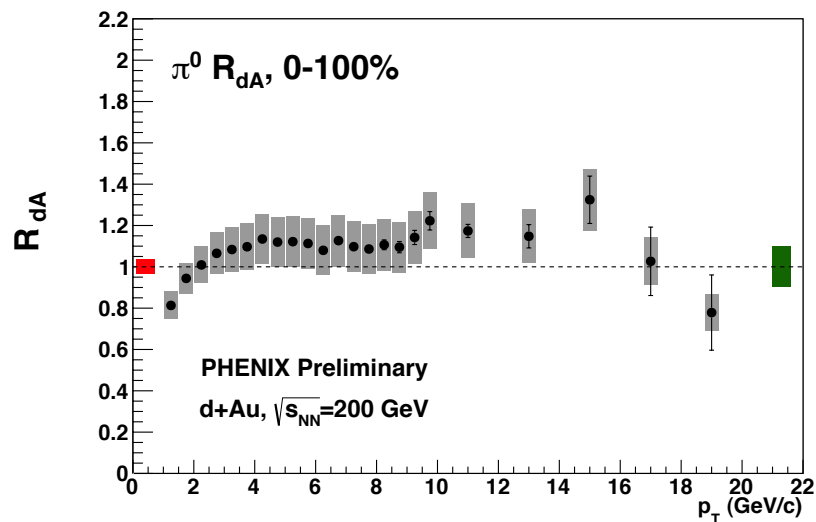
# At LHC as at RHIC, cuts on centrality are weird in dAu, pPb: Minimum Bias tells all



From PhD Thesis, Dennis V. Perepelitsa, Physics Dept. Columbia University, 2014.



# Minimum bias tells the true story—The principal argument for a p+A run at RHIC



Di-Hadron, Di-Jet or recently Jet-Hadron Correlations in AA interactions suffer from a HUGE problem due to  $v_2, v_3, v_4$  flow modulations of the background which obscure the hard-scattering away-side peak and had led to such RHIC “discoveries” as “Mach Cones”, The Ridge, “Head & Shoulders”. Uncertainties in determining the  $v_n$  modulated soft background (the bulk) still lead to large systematic uncertainties for the hard-scattering peaks.

# At LHC, more interest in Fourier series than in di-hadron correlations from di-jets

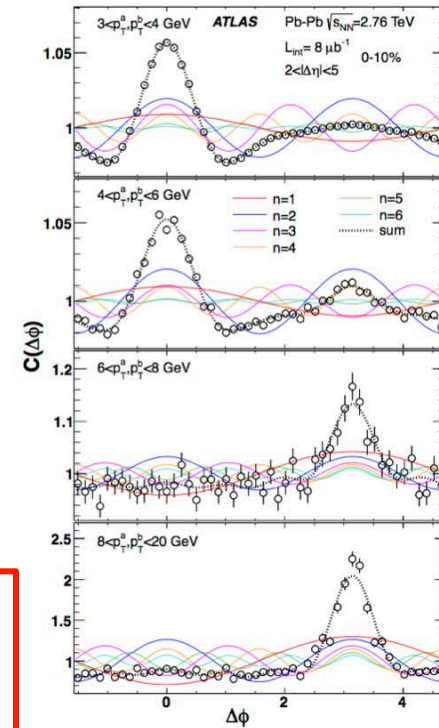
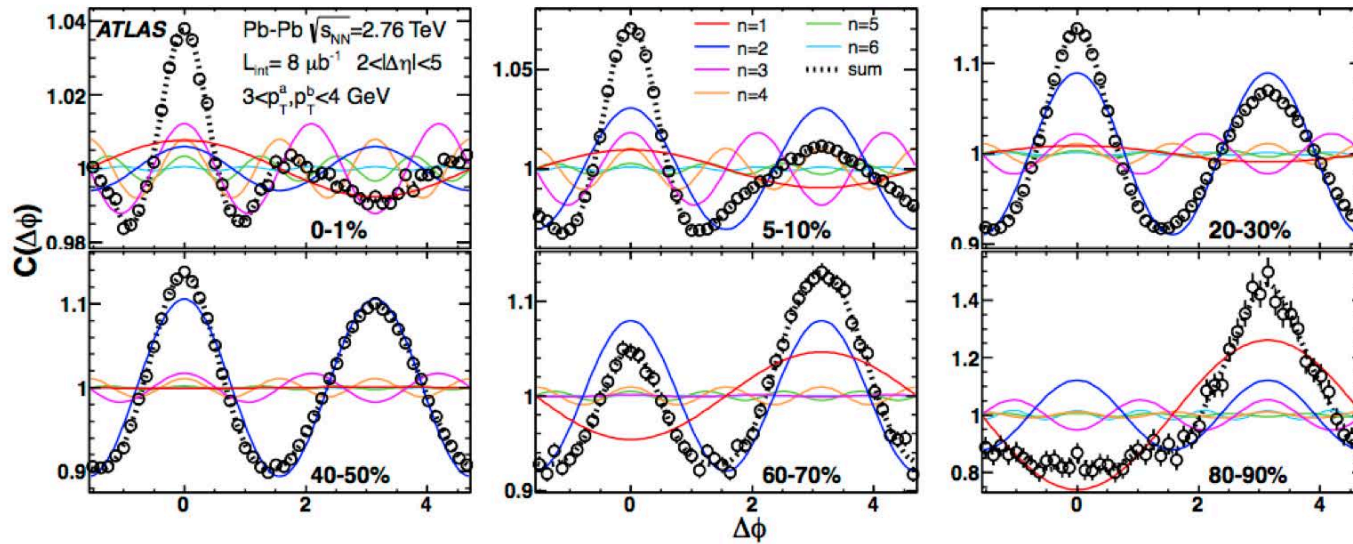


FIG. 9. (Color online) Centrality dependence of  $\Delta\phi$  correlations for  $3 < p_T^a, p_T^b < 4$  GeV. A rapidity gap of  $2 < |\Delta\eta| < 5$  required to isolate the long-range structures of the correlation functions, i.e. the near-side peaks reflect the “ridge” instead of the autocorrelations from jet fragments. The error bars on the data points indicate the statistical uncertainty. The superimpose solid lines (thick-dashed lines) indicate contributions from individual  $v_{n,n}$  components (sum of the first six components).

ATLAS PRC 86 (2012) 014907

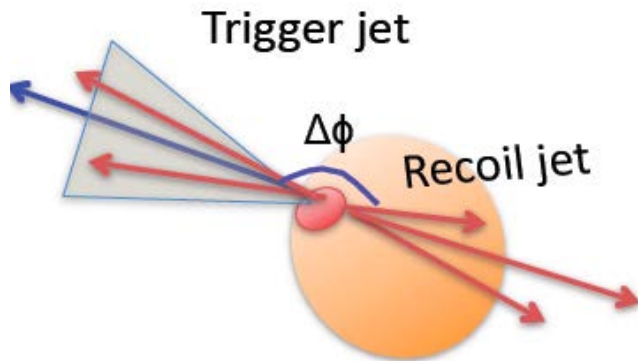
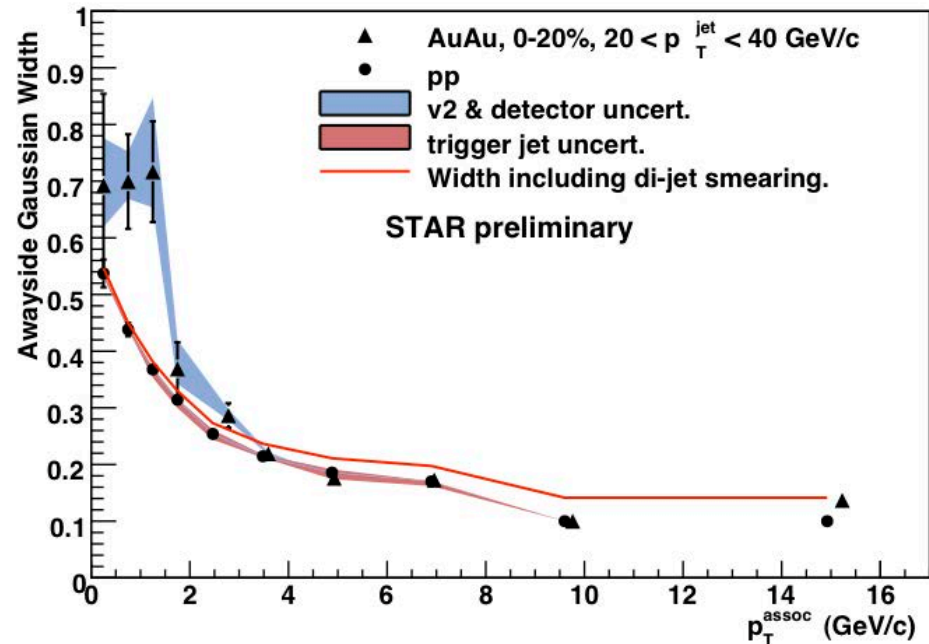
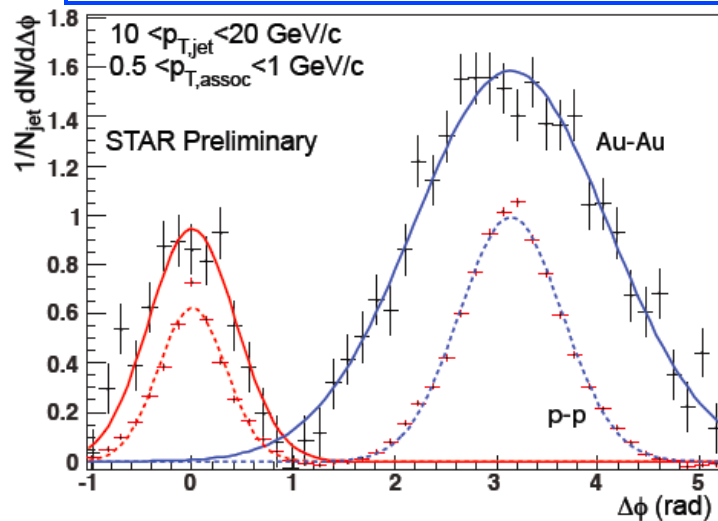
$$E \frac{d^3 N}{dp^3} = \frac{d^2 N}{2\pi p_T dp_T d\eta} \left( 1 + 2 \sum_{n=1}^{\infty} v_n \cos n(\phi - \Phi_n) \right)$$

If you like wiggles instead of peaks  
remember that for a Dirac  $\delta$  function

$$\delta(\phi - \Phi) = \frac{1}{2\pi} \left( 1 + 2 \sum_{n=1}^{\infty} \cos n(\phi - \Phi) \right)$$

# STAR Jet-hadron correlations-preliminary 2012

A. Ohlson, Hard Probes 2012



$$\Delta\Phi = \Phi_{\text{jet}} - \Phi_{\text{assoc.-hadron}}$$

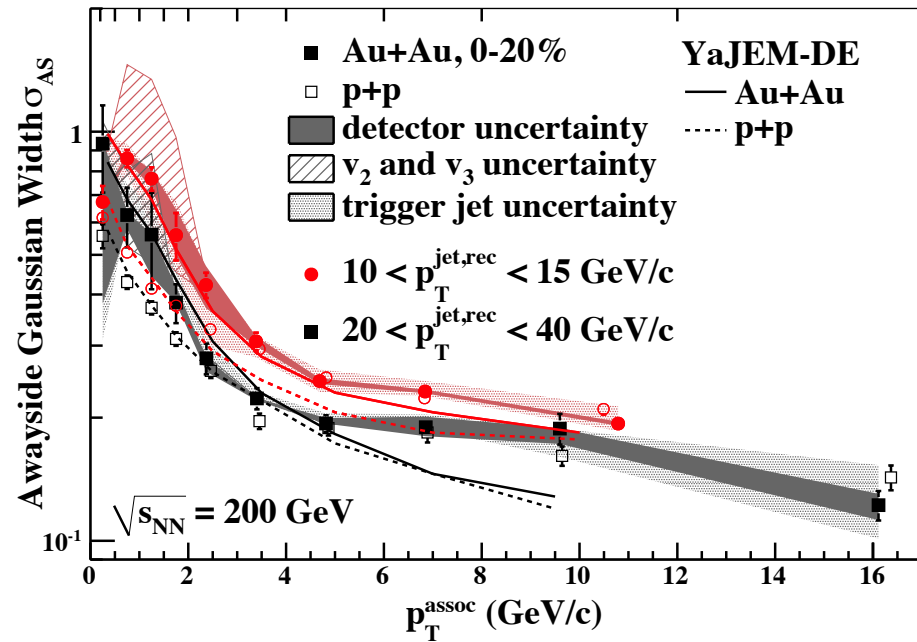
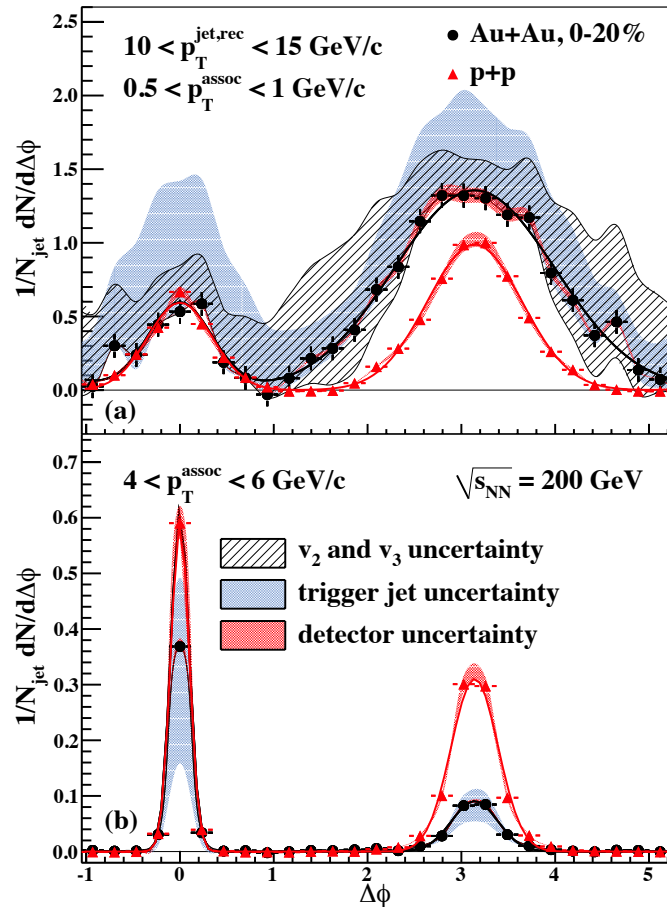
H. Caines, QM 2011

Use Jet-hadron correlations to look for medium-induced-broadening of the away parton (Jet) w.respect to trigger Jet

Preliminary seems to look promising, but final data show no evidence:



# STAR Jet-Hadron 2013 final—suggestive? (!)



STAR PRL 112 (2014)122301, with systematic errors, is inconclusive due to  $v_2, v_3, \dots$  uncertainties.

“While the widths of the away-side jet peaks are suggestive of medium-induced broadening, they are highly-dependent on the shape of the subtracted background,...”

My idea is to use acoustic scaling to constrain  $v_3, v_4 \dots$  from  $v_2$

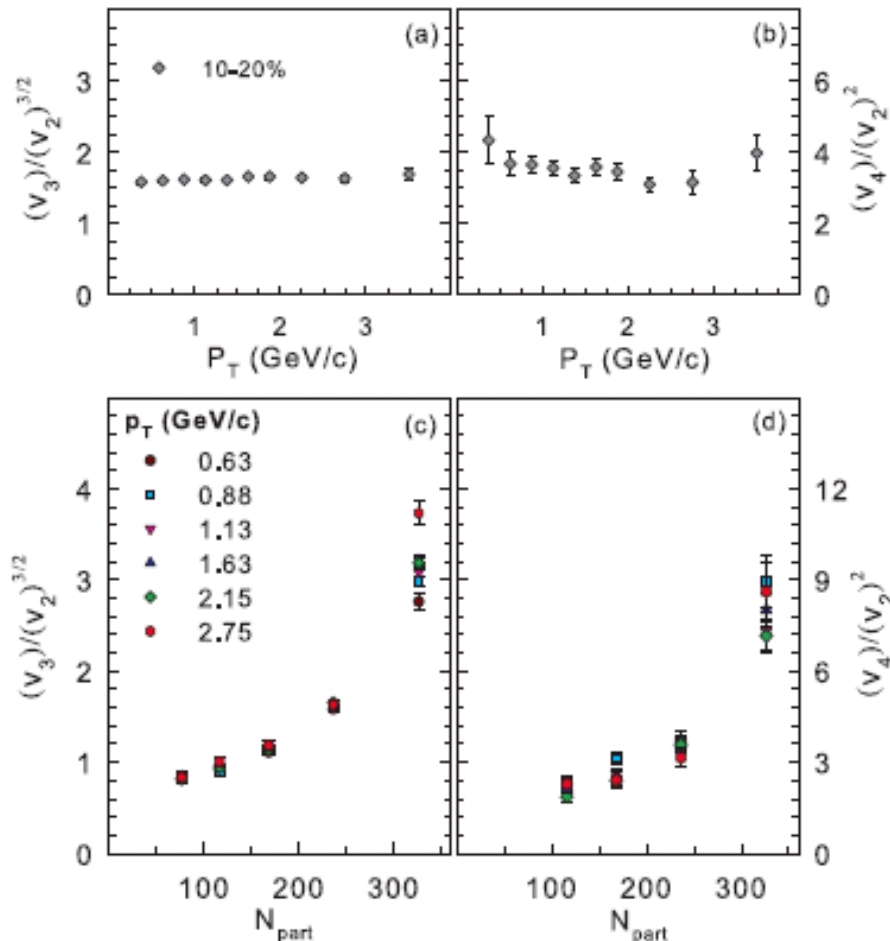
# Lacey: Acoustic Scaling from PHENIX $v_2, v_3, v_4$

In arXiv: 1105.3782v2 they claim that from hydrodynamics and kinetic theory, for a fixed initial collision geometry (centrality) one should get:

$$v_n / v_2^{n/2} = \text{constant, independent of } p_T$$

It works for PHENIX,  $v_2, v_3, v_4$  data from PRL 107(2011) 252301. I checked it myself using Excel. Will allow us to measure hard-scattering correlations with good constraint on flow: know  $v_2$  know everything.

I didn't do it yet because I was too busy working on Constituent-Quark Participants



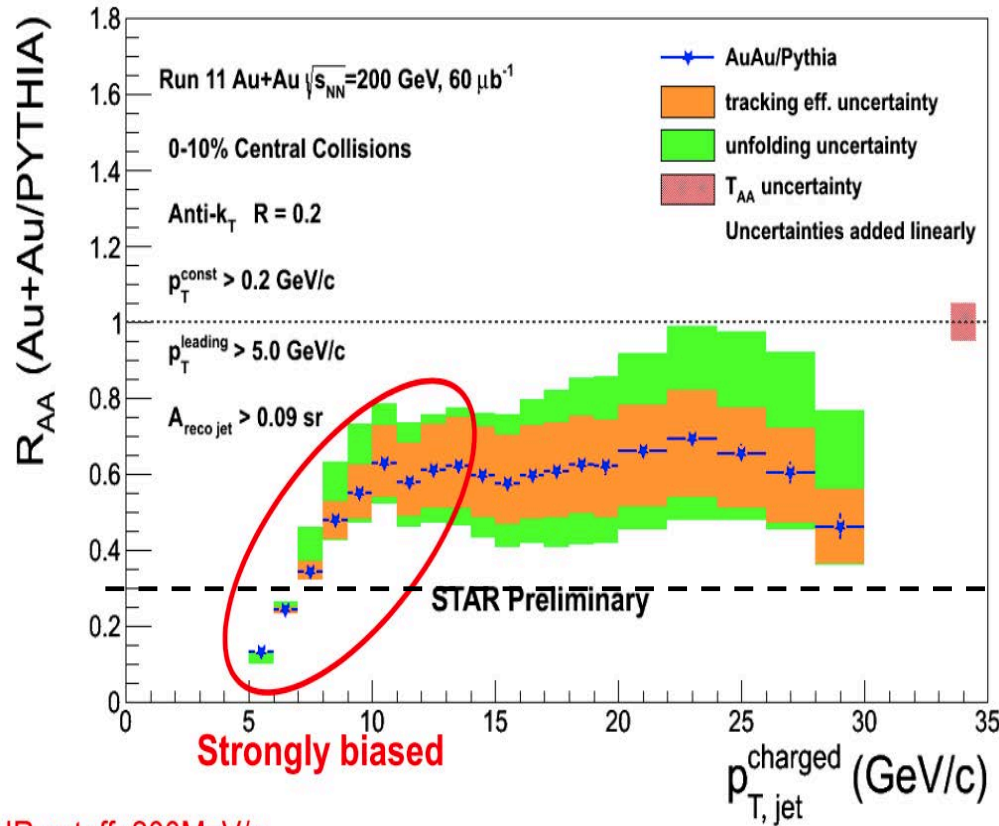
New STAR Jet results this year  
show very different behavior  
than Jets measured at LHC

# STAR Charged jets $R_{AA} \gg$ single particle

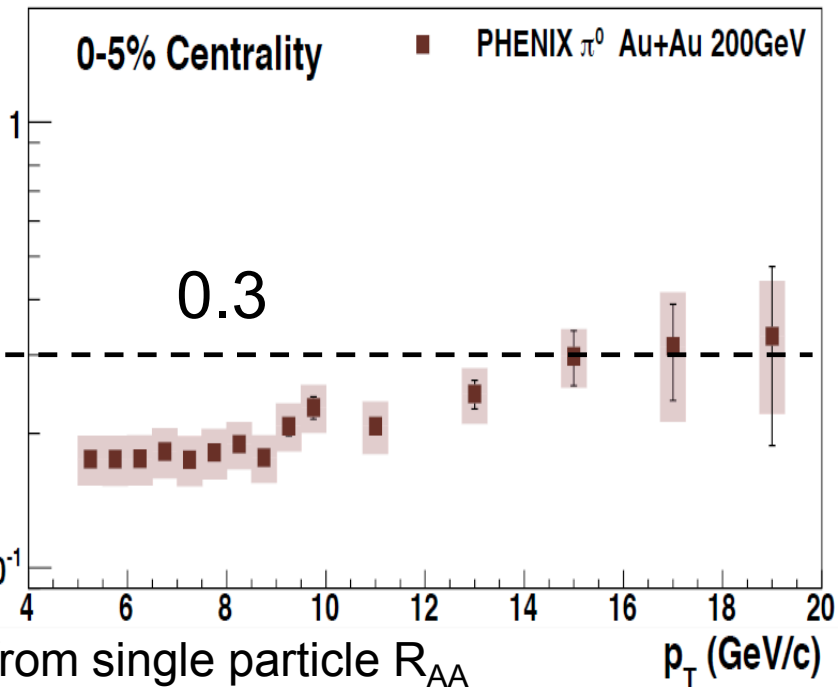
STAR

Charged jets

QM2014



IR cutoff: 200MeV/c



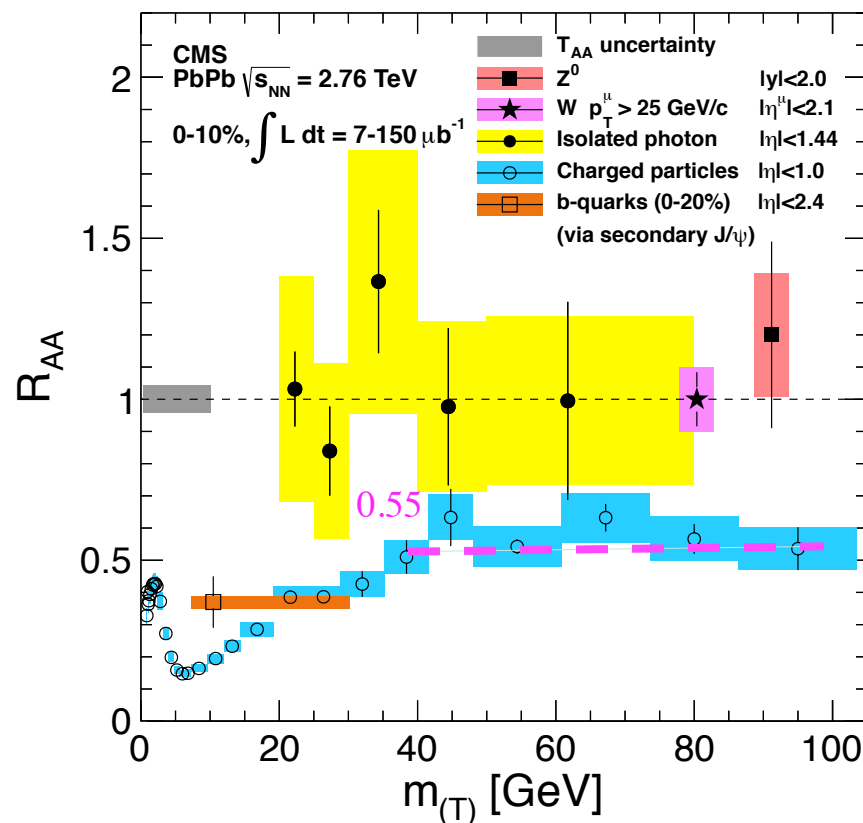
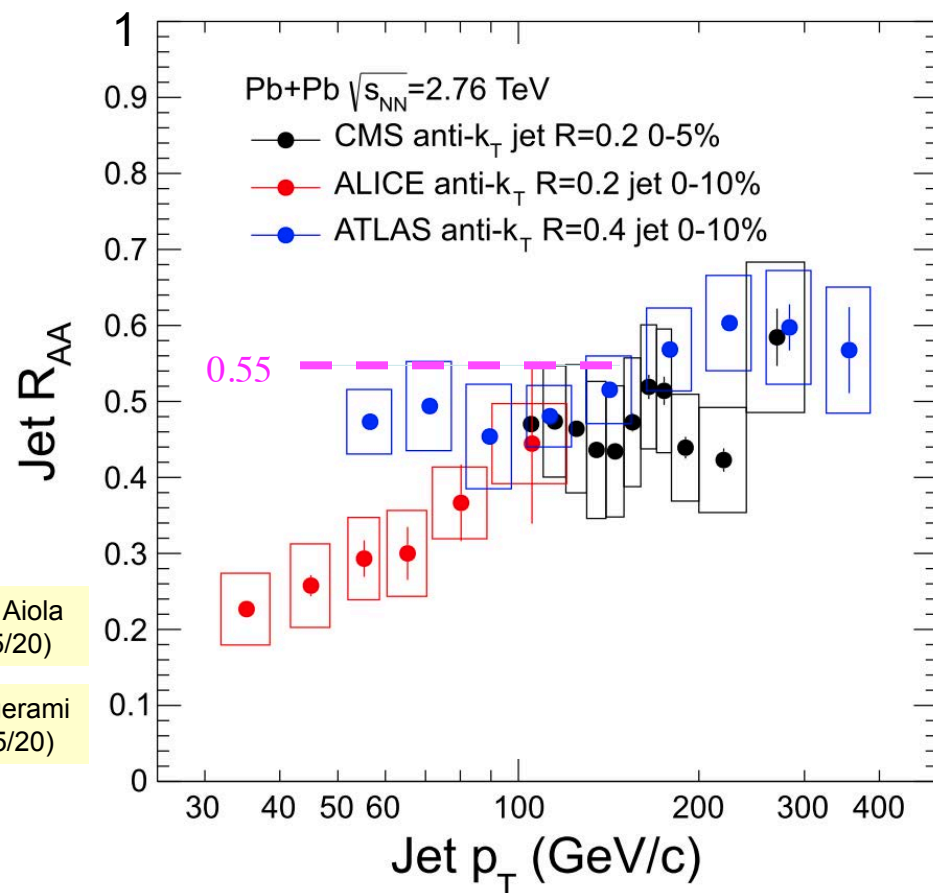
Charged jet  $R_{AA}$  results: different from single particle  $R_{AA}$

Gets worse with increasing cone size

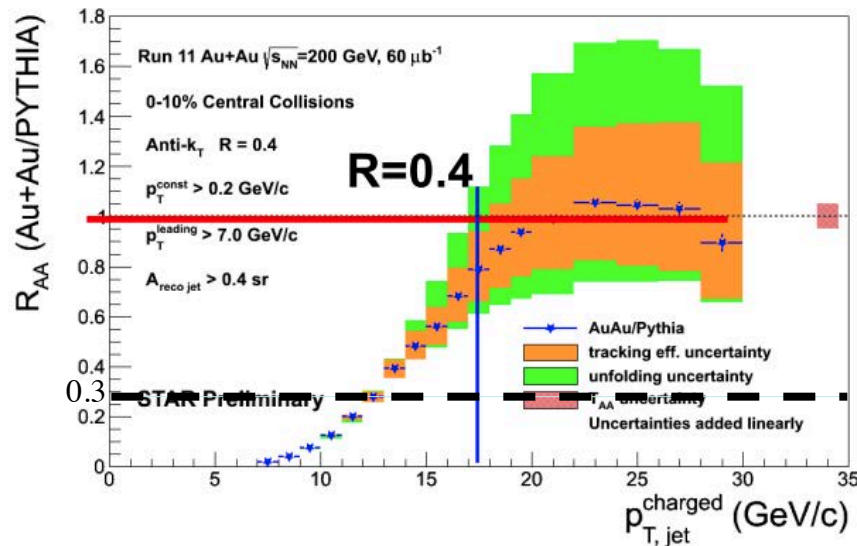
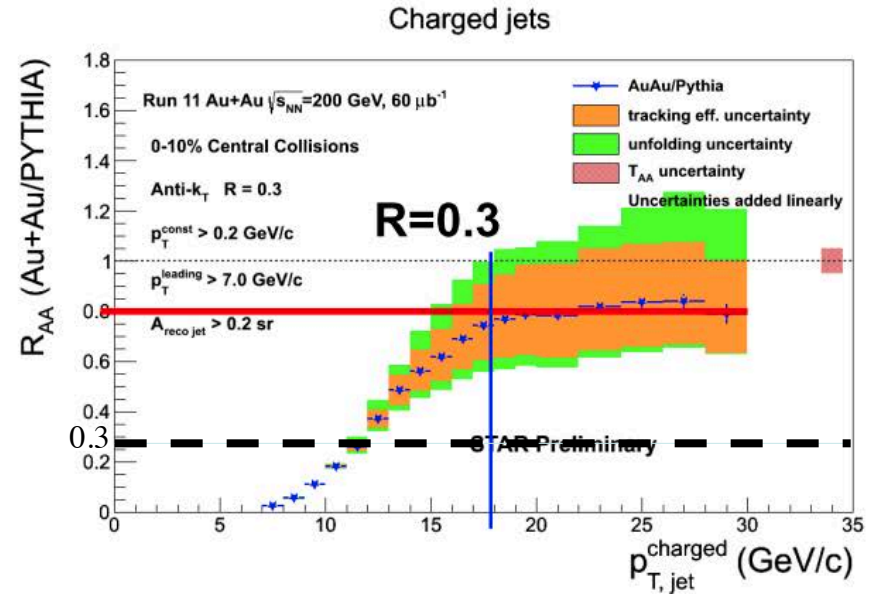
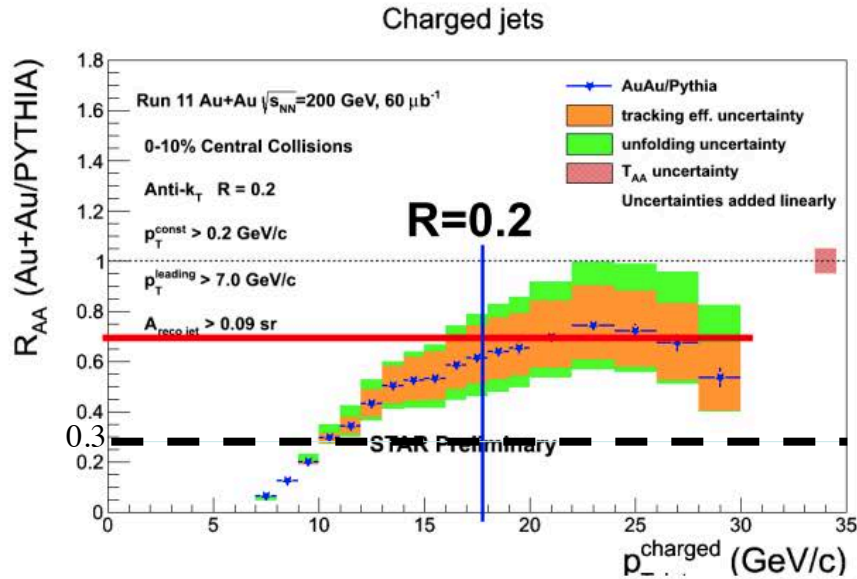
At LHC Jet and single particle  $R_{AA} \sim$  equal for  $p_T > 40$  GeV/c



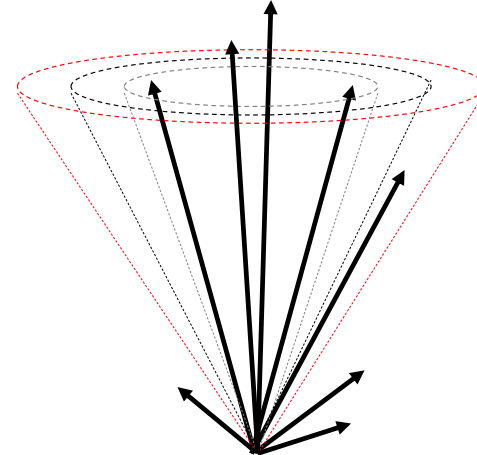
# LHC Jets have comparable or lower $R_{AA}$ than single particles



# The disagreement gets worse with larger R



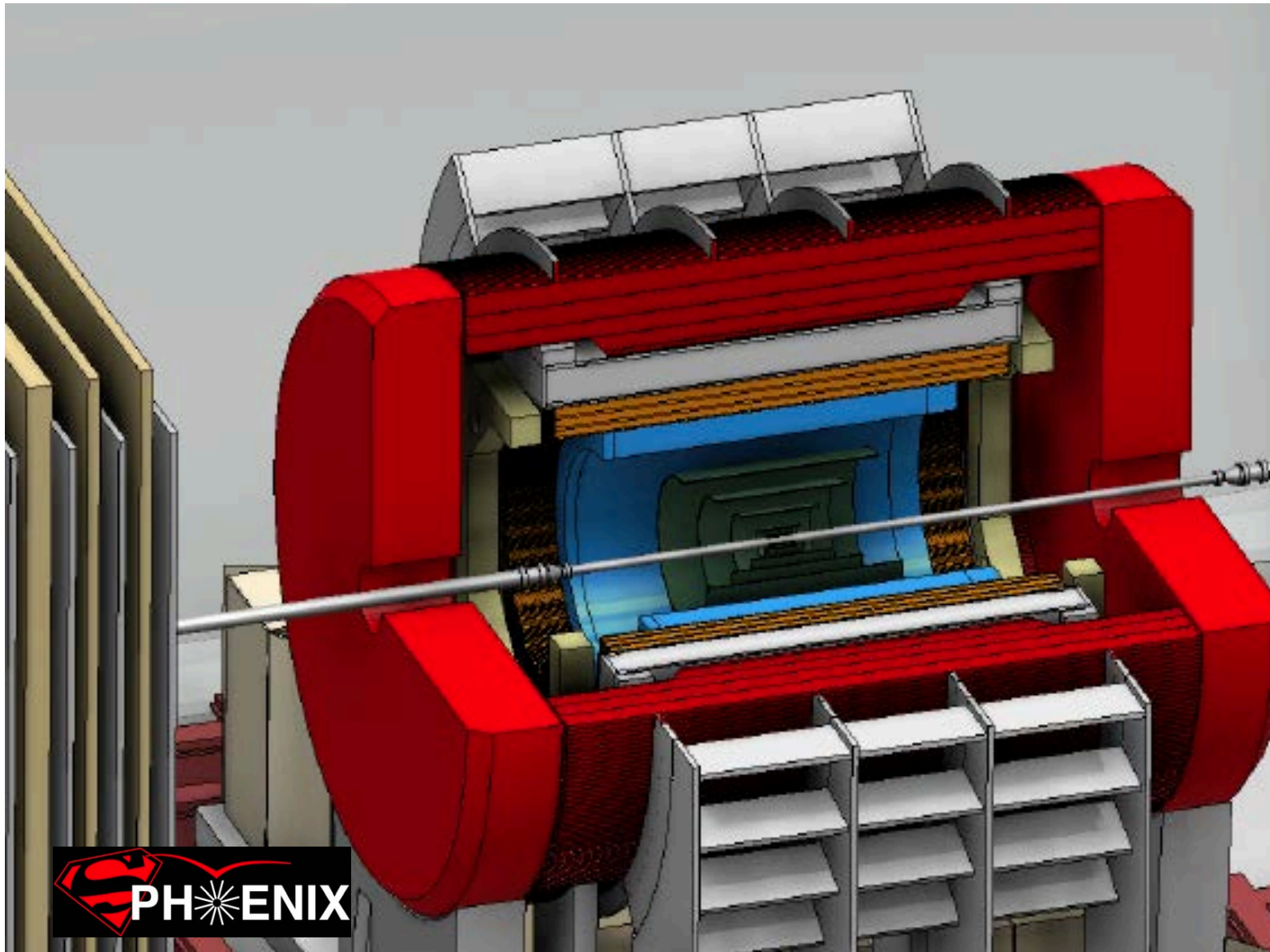
Anti- $k_T$  jets with  
 $R = 0.2, 0.3, 0.4$



So, even after 14 runs at RHIC, the jet learning curve still has a way to go. One solution is to make a new detector to find jets by the more traditional method using Hadron Calorimetry with continuous coverage, large acceptance,  $\Delta\phi=2\pi$ ,  $|\eta|<1.1$ , and high rate capability to get to  $\sim 60$  GeV jets to overlap with the LHC measurements.

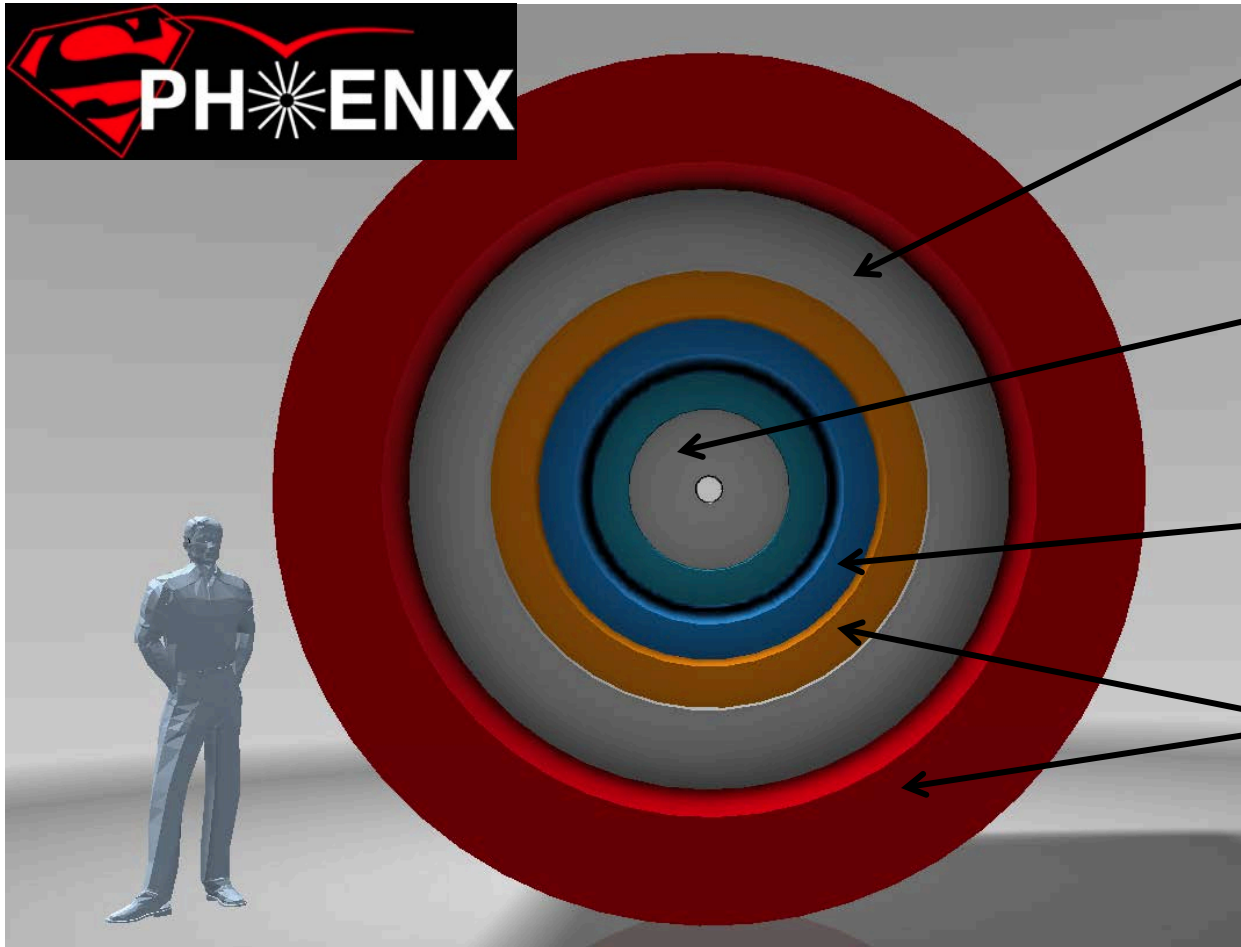
This is the sPHENIX proposal

# sPHENIX at DoE review July 1, 2014





# Jamie Nagle: “sPHENIX in a Nutshell”



BaBar Magnet 1.5 T

Coverage  $|\eta| < 1.1$

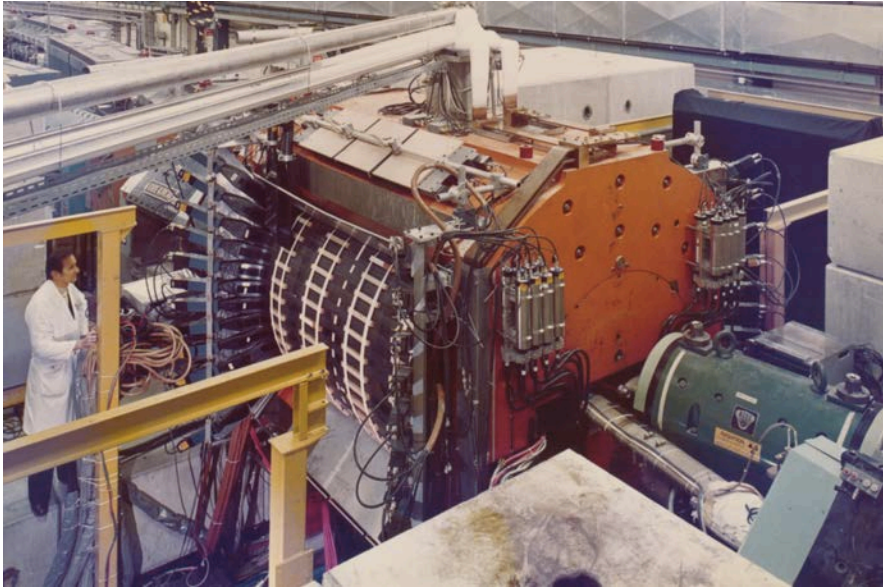
All silicon tracking  
Heavy flavor tagging

Electromagnetic  
Calorimeter

Two longitudinal  
Segment Hadronic  
Calorimeter

Common Silicon Photomultiplier readout for Calorimeters  
Full clock speed digitizers, digital information for triggering  
High data acquisition rate capability  $\sim 10$  kHz

# sPHENIX new detector with BABAR solenoid

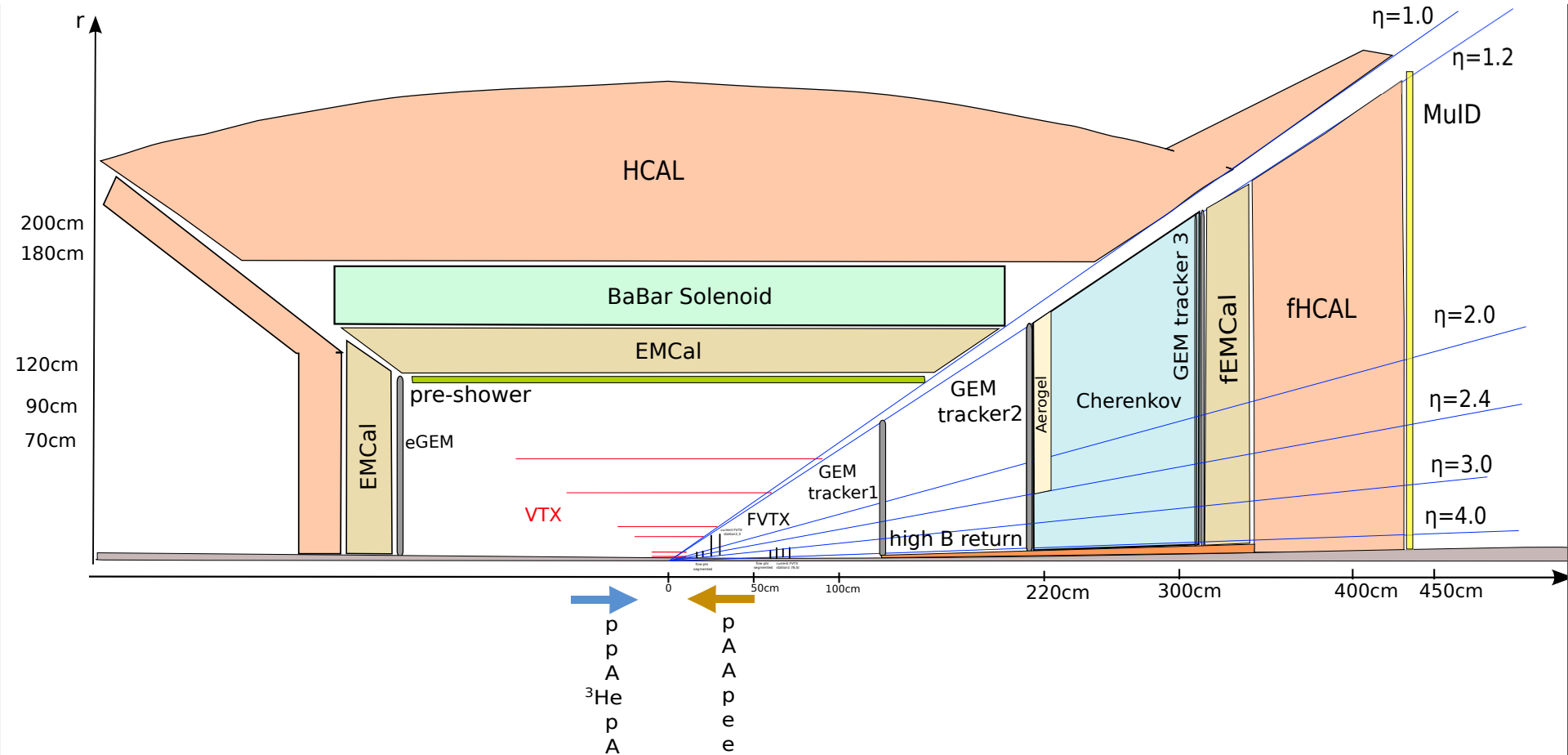


CCOR 1977 First thin coil superconducting solenoid detector at a collider  $r=70\text{cm}$



BABAR thin coil superconducting solenoid  $r=1.5\text{m}$  being shipped from Ansaldo, Italy to SLAC 1997. Will be shipped to BNL soon.

# e/sPHENIX design with high B return piston

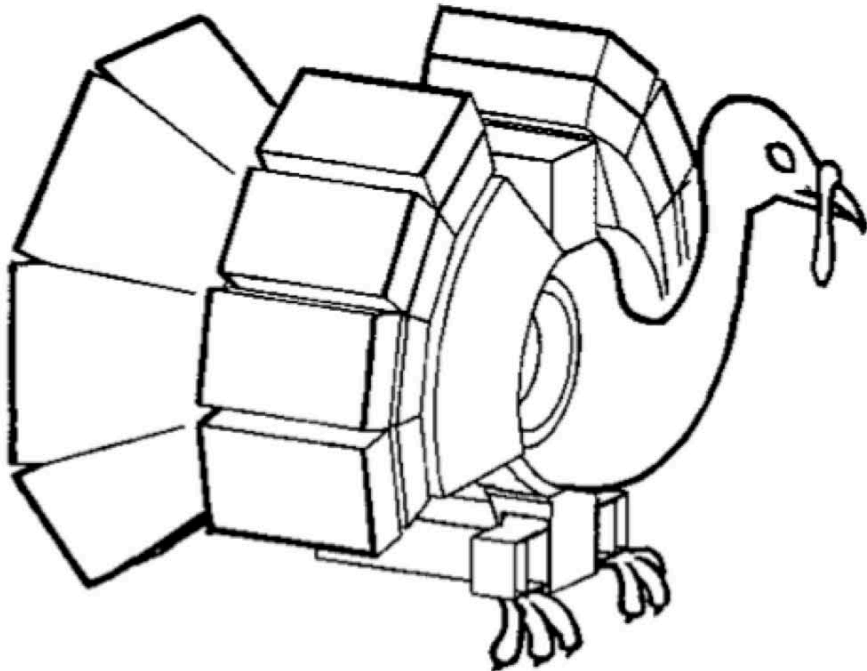




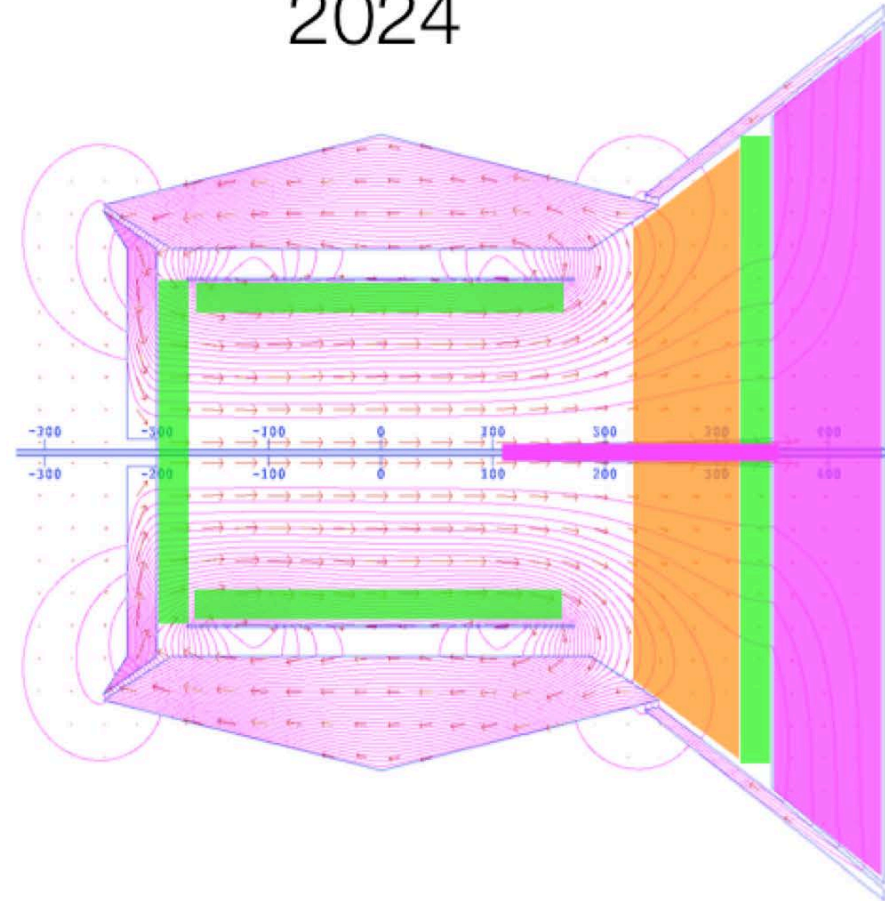
# It's not a Turkey, it's a PHENIX

convergent evolution?

1994



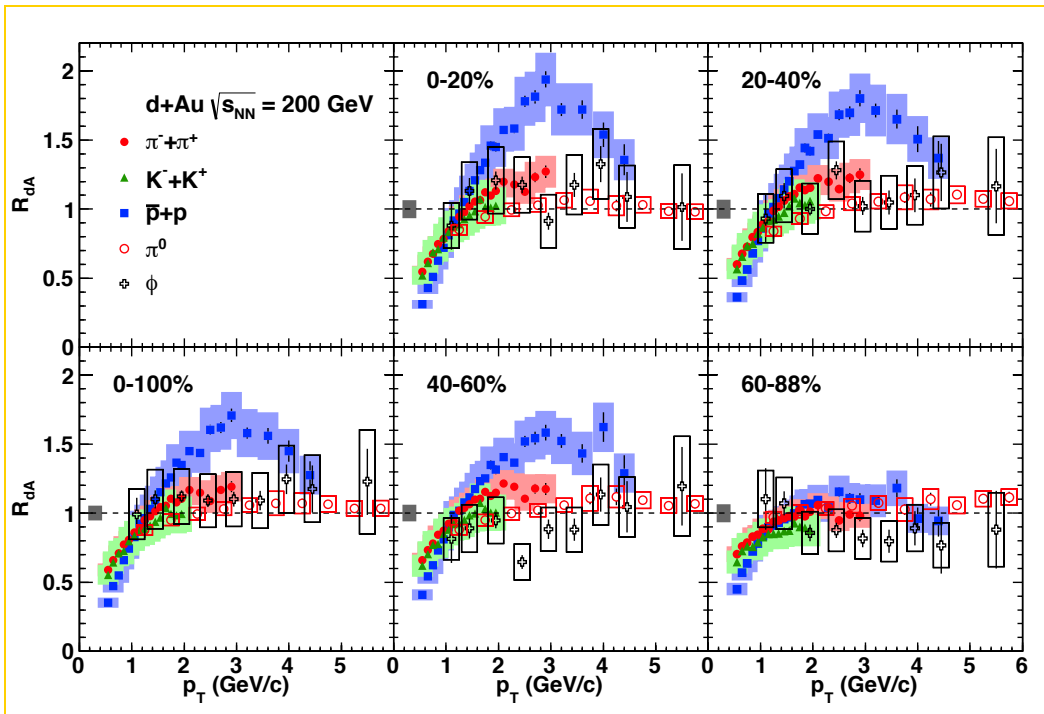
2024





# JOIN US

# New dAu data this year give another clue

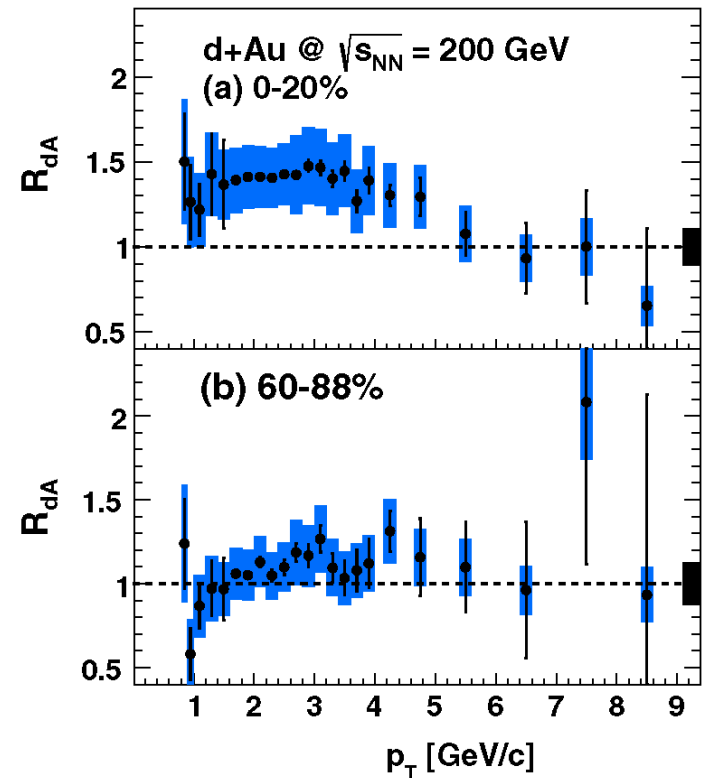


No effect in dAu ( $R_{dA}=1$ ) with the exception of protons which have a huge enhancement (Cronin Effect). A common explanation of the dAu and AuAu baryon enhancements for  $p_T < 6$  GeV/c is needed.

Note the absence of any centrality effect for light mesons in dAu in this  $p_T$  range.

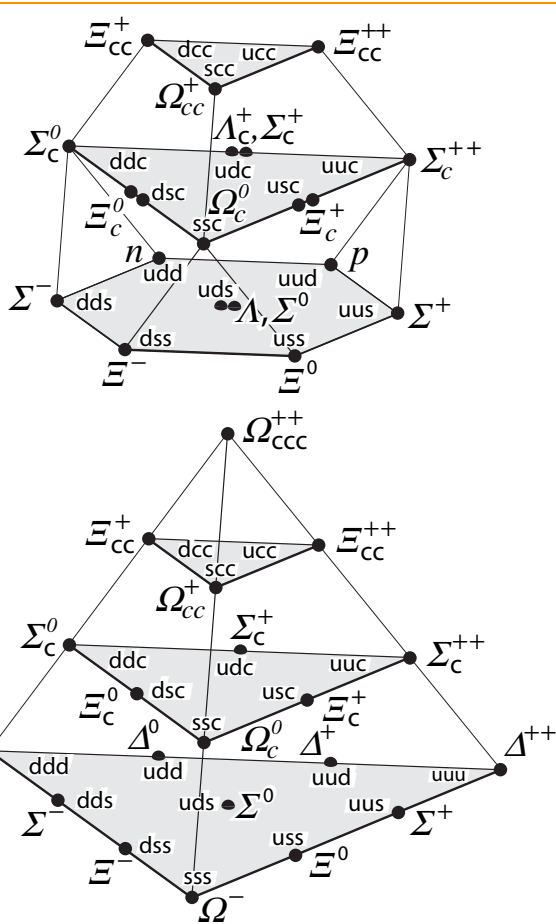
PHENIX arXiv:1304.3410

PHENIX PRL109 (2012) 242301

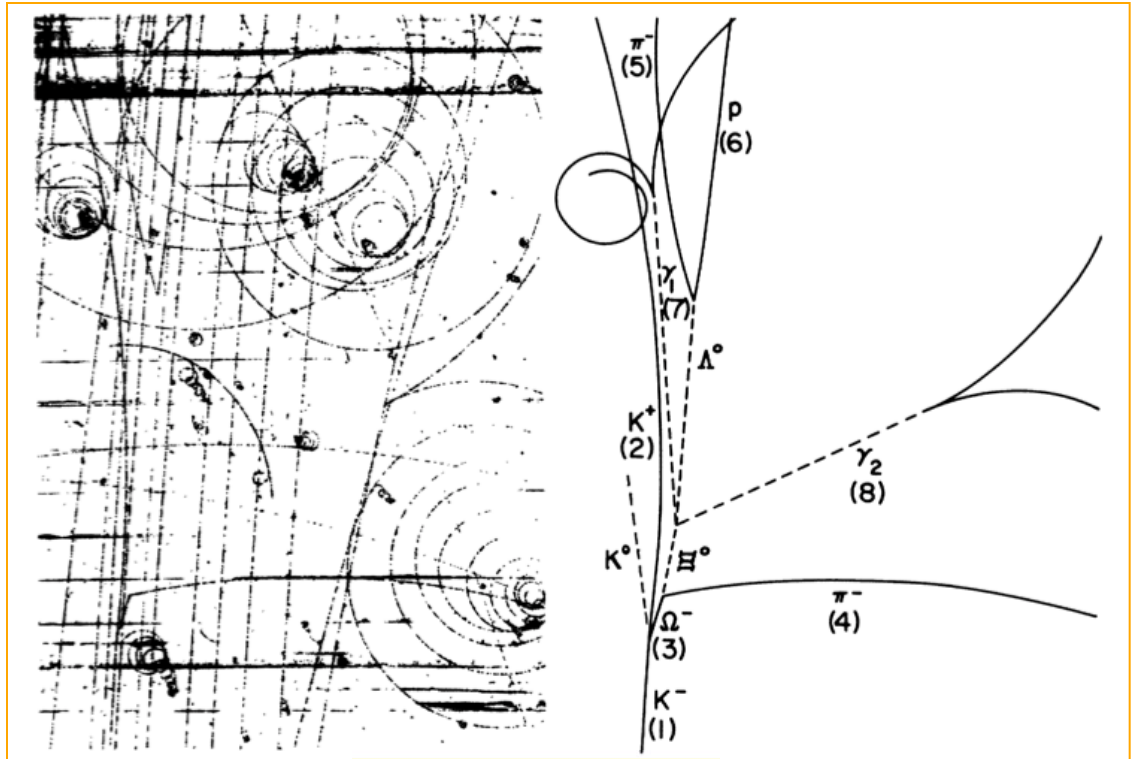


But direct  $e^\pm$  from heavy charm mesons have a Cronin Effect. Peripheral 60-88 looks reasonable.

Constituent quarks are Gell-Mann's quarks from Phys. Lett. 8 (1964)214, Zweig's Aces



## Constituent quark model of Baryons



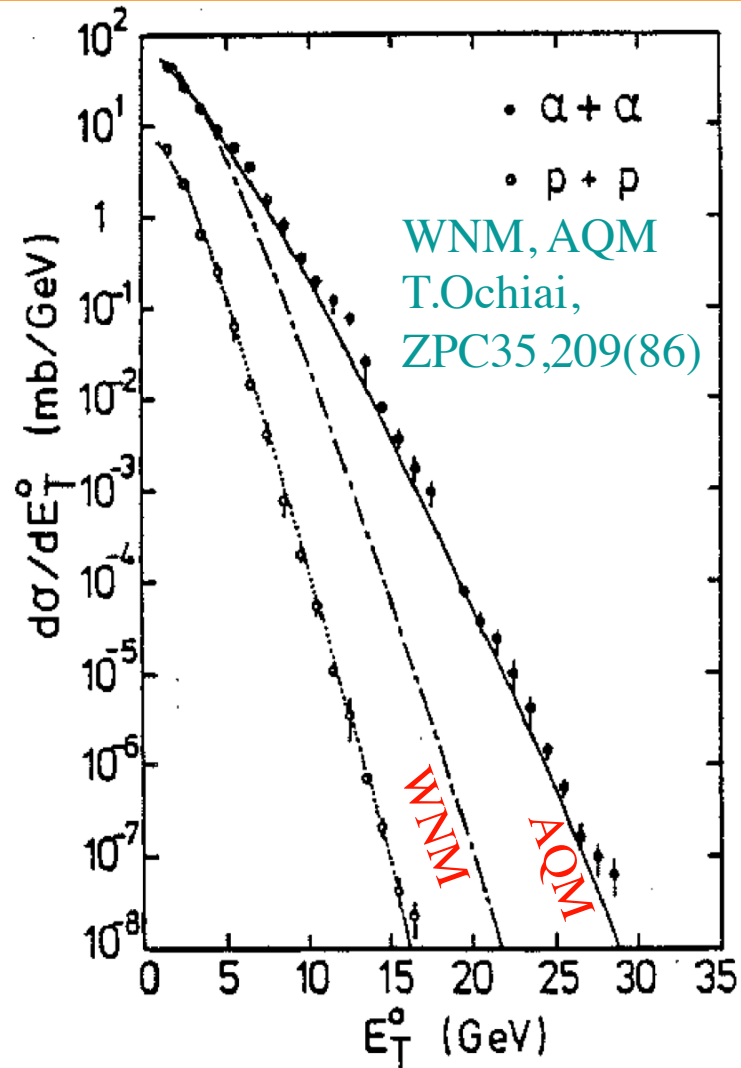
# $\Omega^-$ (SSS)

BNL-Barnes, Samios *et al.*, PRL**12**, 204 (1964)

For more on Constituent quarks in QCD see  
E. V. Shuryak, Nucl. Phys. B 203, 116 (1982).

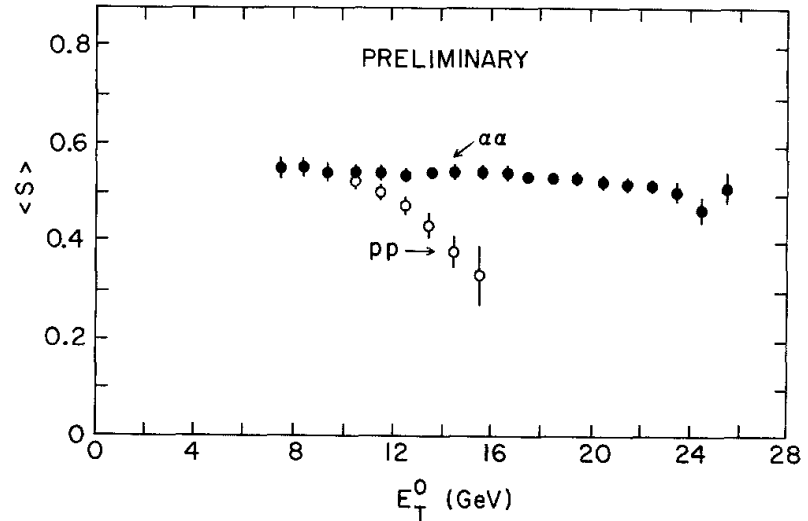
# From My First Quark Matter Talk 1984

## ISR-BCMOR- $\alpha\alpha$ $\sqrt{s_{NN}}=31\text{GeV}$ : WNM FAILS! AQM works



BCMOR PLB168(1986)158

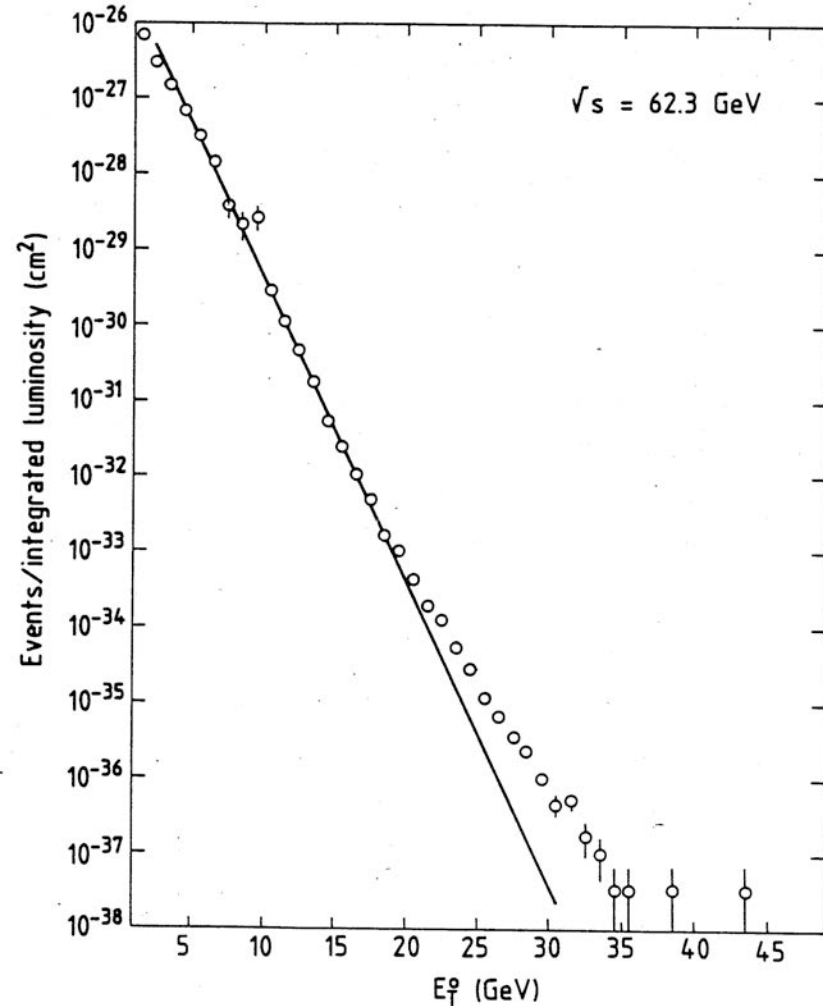
The Wounded Nucleon (Npart) Model agrees with  $\alpha\alpha$  data for 1 order of magnitude but disagrees for the other 10 orders of magnitude. The Additive Quark Model (AQM) [wounded projectile quarks] is in excellent agreement over the entire distribution.



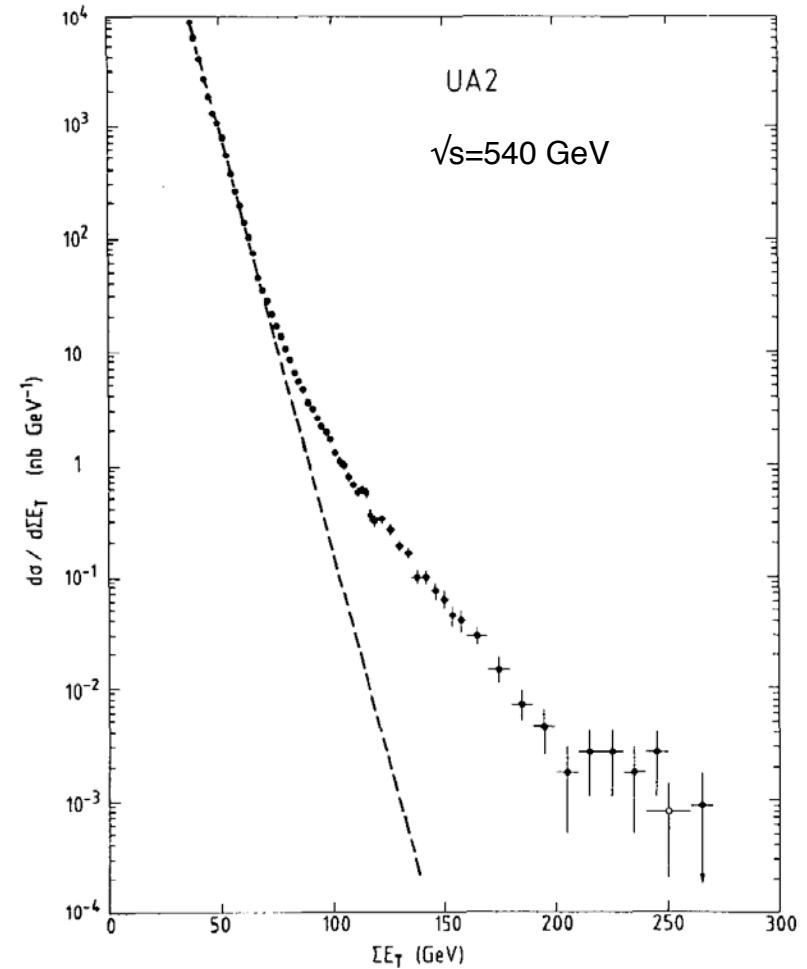
A youngster, Bill Zajc, and other Penn collaborators claimed that failure of WNM was due to jets. BUT, from measured sphericity,  $E_T^0$  is not jetty in pp for  $E_T^0 < 10$  GeV, four orders of magnitude down in cross section. No jet effect in whole measured region in  $\alpha\alpha$ .



# Jets are a $\ll 10^{-3}$ effect in p-p $E_T$ distributions



COR PLB**126**(1983)132  $E_T$  in  $\Delta\Phi=2\pi$ ,  $|\eta|<0.8$  EMCal. Break above 20 GeV is due to jets. Also see NuclPhys B**244**(1984)1



UA2 PLB**138**(1984)430 (from DiLella)  
Break from jets  $\sim 5$ -6 orders of magnitude down for  $E_T$  in  $\Delta\Phi=2\pi$ ,  $|\eta|<1.0$

# Edward Shuryak is Happy, (CGC types less so)

## Collective interaction of QCD strings and early stages of high multiplicity pA collisions

arXiv:1404.1888

Tigran Kalaydzhyan and Edward Shuryak

*Department of Physics and Astronomy, Stony Brook University,  
Stony Brook, New York 11794-3800, USA*

(Dated: April 8, 2014)

We study early stages of “central”  $pA$  and peripheral  $AA$  collisions. Several observables indicate that at the sufficiently large number of participant nucleons the system undergoes transition into a new “explosive” regime. By defining a string-string interaction and performing molecular dynamics simulation, we argue that one should expect a strong collective implosion of the multi-string “spaghetti” state, creating significant compression of the system in the transverse plane. Another consequence is collectivization of the “sigma clouds” of all strings into collective chorally symmetric fireball. We find that those effects happen provided the number of strings  $N_s > 30$  or so, as only such number compensates small sigma-string coupling. Those finding should help to understand subsequent explosive behavior, observed for particle multiplicities roughly corresponding to this number of strings.

### I. INTRODUCTION

#### A. The evolving views on the high energy collisions

Before we got into discussion of high multiplicity  $pA$  collisions, let us start by briefly reviewing the current views on the two extremes: the  $AA$  and the minimum bias pp collisions.

The “not-too-peripheral”  $AA$  we will define as those which have the number of participant nucleons  $N_p > 40$ , and the corresponding multiplicity of the order of few hundreds. (*Peripheral AA*, complementary to this definition, we will discuss in this paper, below in section IV B.) Central  $AA$  collisions produce many thousands of secondaries: the corresponding fireball has the

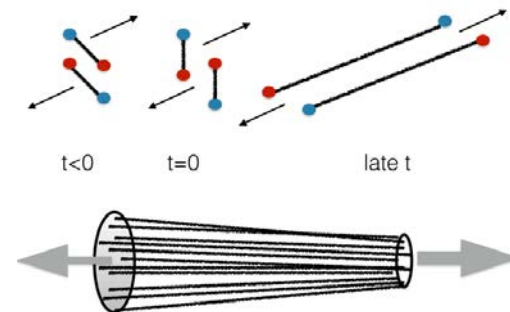


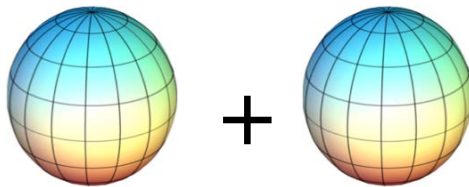
FIG. 1: The upper plot reminds the basic mechanism of two string production, resulting from color reconnection. The lower plot is a sketch of the simplest multi-string state, produced in  $pA$  collisions or very peripheral  $AA$  collisions, known as “spaghetti”.

# U+U Collisions-STAR Motivation

Allows us to manipulate the initial geometry and study:

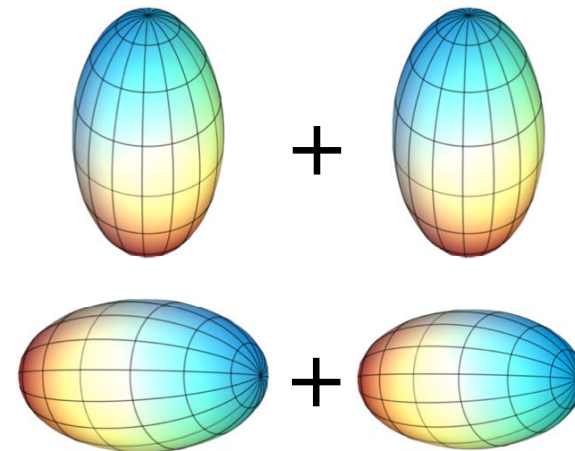
- How multiplicity depends on  $N_{\text{part}}$  and  $N_{\text{coll}}$  **They won't be happy**
- Path-length dependence of jet quenching
- Particle production in heavy-ion collisions
- Other effects most importantly  $v_2$  in central collisions

## Au+Au Collisions



Oblate

## U+U Collisions

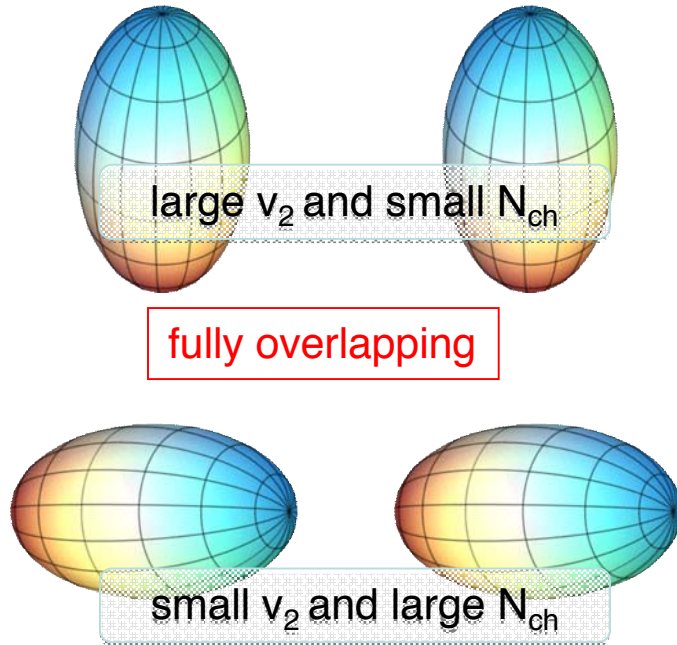


Prolate

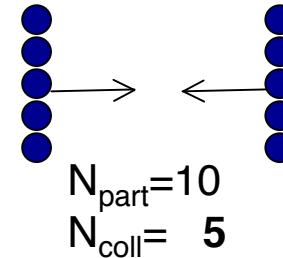
Can we see a difference between **Au+Au** and **U+U** and preferentially select **body-body** or **tip-tip** U+U collisions?

# Selecting Body-body or Tip-tip

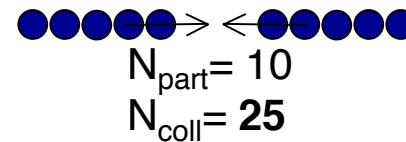
In two-component model, multiplicity depends on the  $N_{\text{part}}$  and  $N_{\text{coll}}$  and since  $v_2$  is proportional to initial eccentricity



$$n_{AA} \propto n_{pp} \left[ (1 - x_{\text{hard}}) \frac{N_{\text{part}}}{2} + x_{\text{hard}} N_{\text{coll}} \right]$$



*\*idealizations*



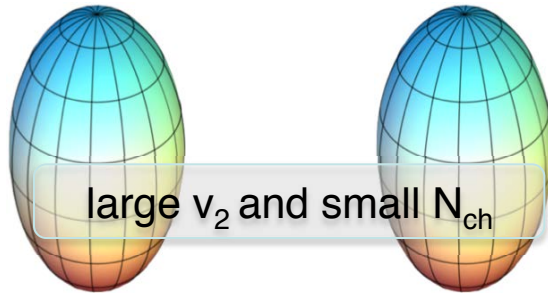
If  $dN/d\eta$  depends on  $N_{\text{coll}}$ , large  $dN/d\eta$  should correlate with small  $v_2$ .  
\_Central U+U collisions are ideal for testing particle production

Strategy: select events with few spectators (fully over-lapping), then measure  $v_2$  vs. multiplicity: **how strong is the correlation?**

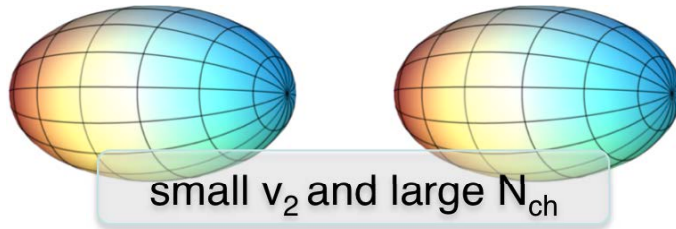


# Selecting Body-body or Tip-tip

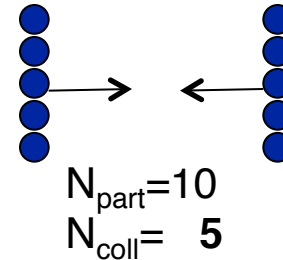
In two-component model, multiplicity depends on the  $N_{part}$  and  $N_{coll}$  and since  $v_2$  is proportional to initial eccentricity



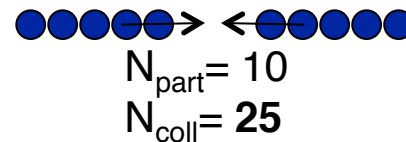
fully overlapping



$$n_{AA} \propto n_{pp} \left[ (1 - x_{hard}) \frac{N_{part}}{2} + x_{hard} N_{coll} \right]$$



*\*idealizations*



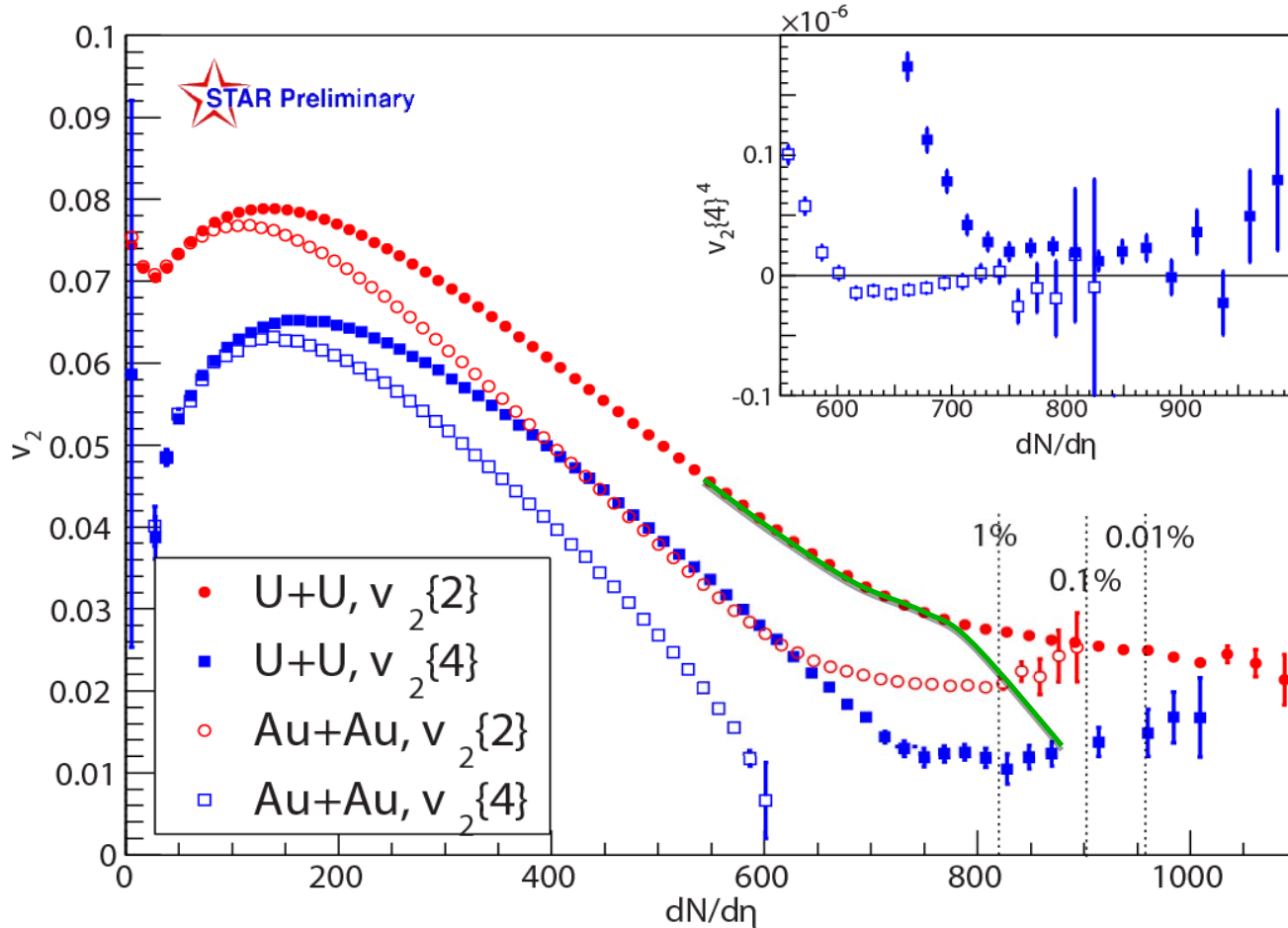
**This is wrong  
they will be  
disappointed**

If  $dN/d\eta$  depends on  $N_{coll}$ , large  $dN/d\eta$  should correlate with small  $v_2$ .

⇒ *Central U+U collisions are ideal for testing particle production*

Strategy: select events with few spectators (fully over-lapping), then measure  $v_2$  vs. multiplicity: **how strong is the correlation?**

# Minimum-bias U+U and Au+Au



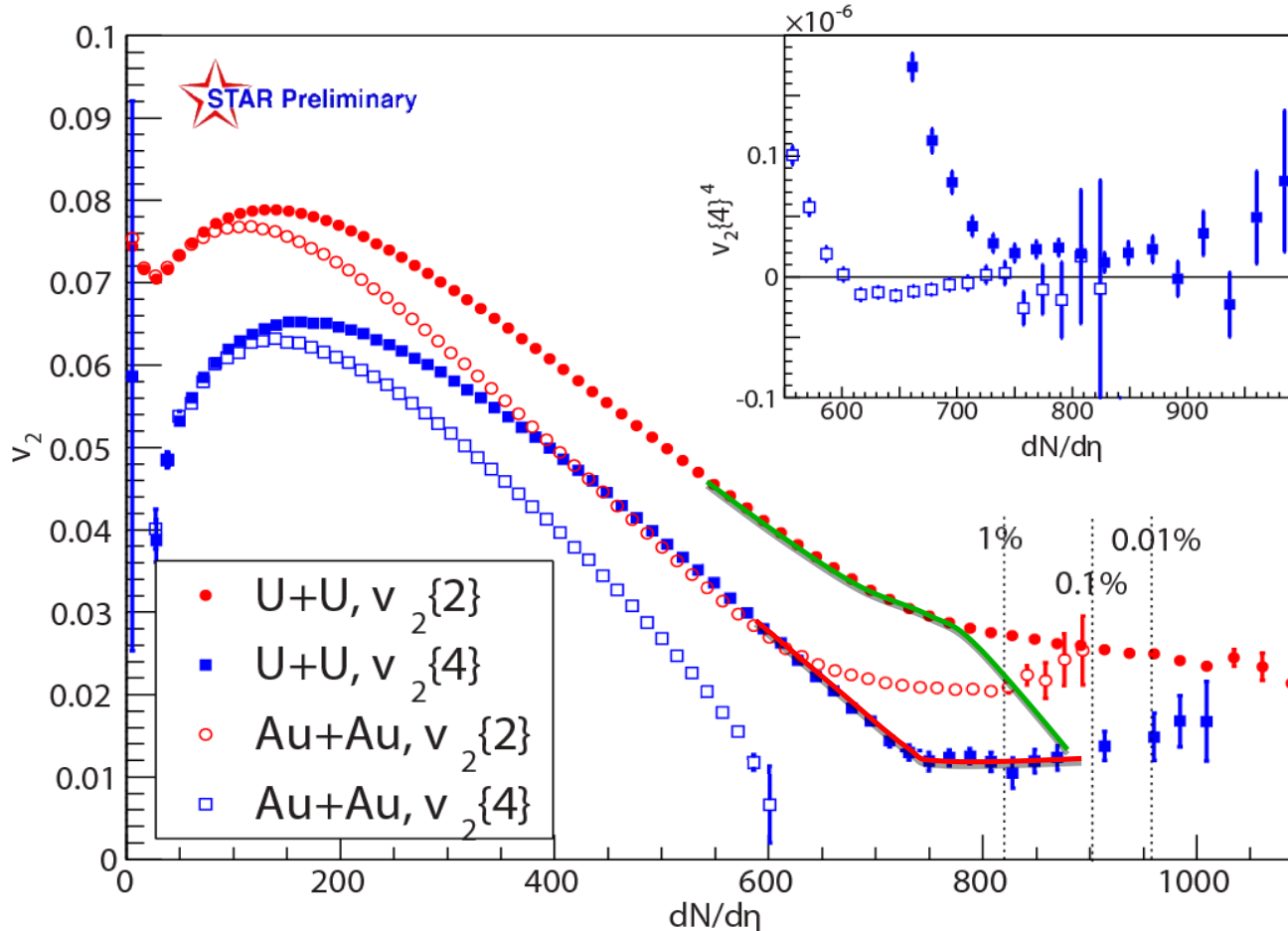
No evidence of knee structure for central U+U

- ✓ Glauber plus 2-component model suggests knee structure at ~2% centrality
- ✓ Knee washed out by additional multiplicity fluctuations?<sup>1</sup>
- ✓ Other interpretations?

<sup>1</sup>Maciej Rybczyński, et. al.  
Phys.Rev. C87 (2013) 044908

Dashed lines represent top centrality percentages for U+U collisions based on multiplicity, curves are used to guide the eye

# Minimum-bias U+U and Au+Au



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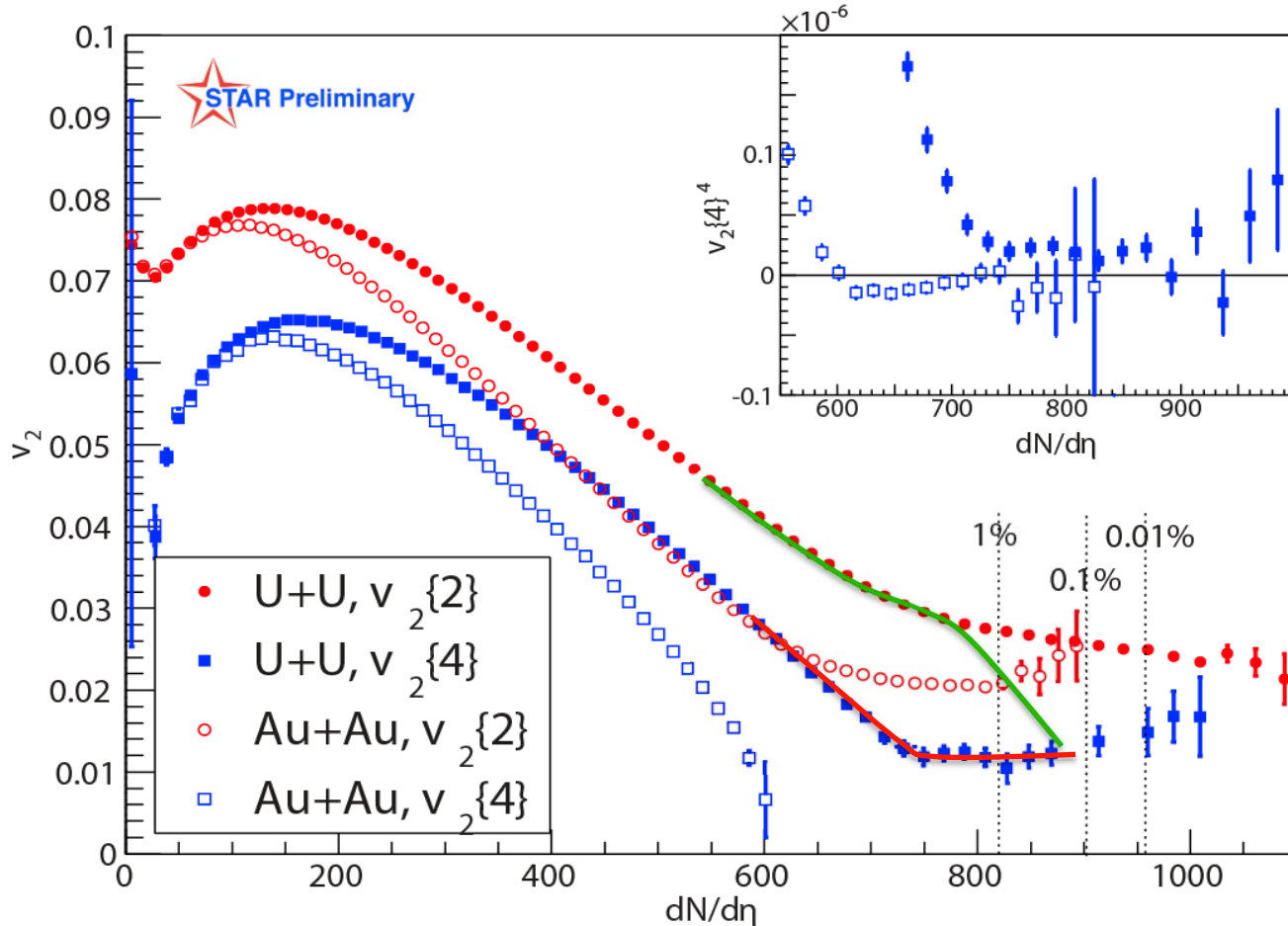
<sup>1</sup>Maciej Rybczyński, et. al.  
Phys.Rev. C87 (2013) 044908

The U+U  $v_2\{4\}$  results are non-zero in central

- ✓ Result of intrinsic prolate shape of the Uranium nucleus
- ✓ Au  $v_2\{4\}$  becomes consistent with zero

Dashed lines represent top centrality percentages for U+U collisions based on multiplicity, curves are used to guide the eye

# Minimum-bias U+U and Au+Au



No evidence of knee structure for central U+U

- ✓ Glauber plus 2-component model suggests knee structure at ~2% centrality
- ✓ Knee washed out by additional multiplicity fluctuations?<sup>1</sup>
- ✓ Other interpretations? Yes, Nqp!!!

<sup>1</sup>Maciej Rybczyński, et. al.  
Phys.Rev. C87 (2013) 044908

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Dashed lines represent top centrality percentages for U+U collisions based on multiplicity, curves are used to guide the eye

$v_2\{4\}$  data: we see the **prolate shape** of the Uranium nucleus ✓

**The lack of a knee indicates a weakness in Ncoll multiplicity models**



# I rushed through the previous slides because:

- 1) It was an introduction: the material has been covered in previous High $p_T$ LHC lectures and proceedings by me;
- New this year: I wrote a book with Jan Rak with all this kind of information, “High  $p_T$  physics in the Heavy Ion Era”



## High- $p_T$ Physics in the Heavy Ion Era

Jan Rak, University of Jyväskylä, Finland

Michael J. Tannenbaum, Brookhaven National Laboratory, New York

Hardback

Series: [Cambridge Monographs on Particle Physics, Nuclear Physics and Cosmology](#) (No. 34)

ISBN: 9780521190299

396 pages

202 b/w illus.

Dimensions: 247 x 174 mm

Weight: 0.87kg

Availability: In Stock

\$115.00 (C)

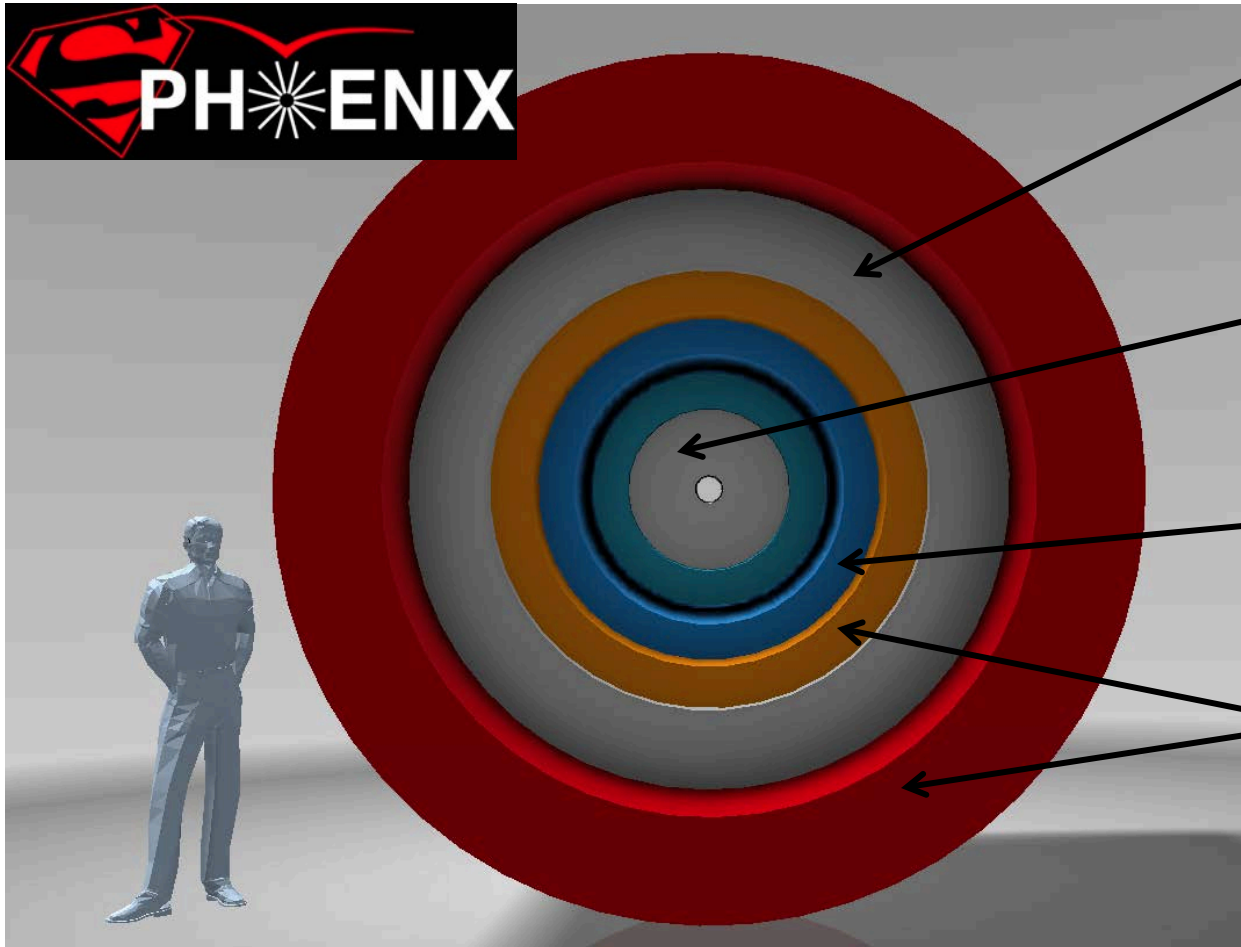
View other formats: [Adobe eBook Reader](#)

Aimed at graduate students and researchers in the field of high-energy nuclear physics, this book provides an overview of the basic concepts of large transverse momentum particle physics, with a focus on pQCD phenomena. It examines high- $p_T$  probes of relativistic heavy-ion collisions and will serve as a handbook for those working on RHIC and LHC data analyses. Starting with an introduction and review of the field, the authors look at basic observables and experimental techniques, concentrating on relativistic particle kinematics, before moving onto a discussion about the origins of high- $p_T$  physics. The main features of high- $p_T$  physics are placed within a historical context and the authors adopt an experimental outlook, highlighting the most important discoveries leading up to the foundation of modern QCD theory. Advanced methods are described in detail, making this book especially useful for newcomers to the field.

<http://www.cambridge.org/knowledge/discountpromotion?code=E3RAK>

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# Jamie Nagle: “sPHENIX in a Nutshell”



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Coverage  $|\eta| < 1.1$

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Calorimeter

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Calorimeter

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High data acquisition rate capability  $\sim 10$  kHz